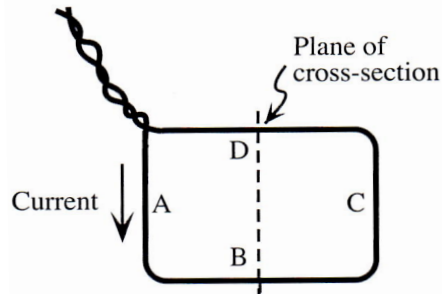


PY212

Discussion Worksheet 7

Please work with your partners on the following exercises.

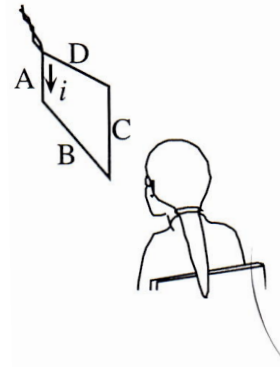
- 1.) A wire is formed into a loop and the leads are twisted together. The sides of the loop are labeled *A-D*. The direction of the current is shown.



- a.) On the top diagram at right, sketch

magnetic field lines for the loop. Base your answer on your knowledge of the magnetic field of a current-carrying wire.

Explain why it is reasonable to ignore the effect of the magnetic field from the wire leads.

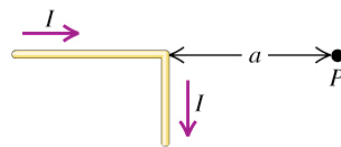


- b.) Consider the magnetic field of a bar magnet.

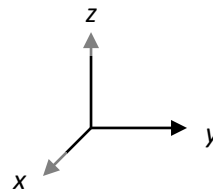
How are the magnetic field lines for the current loop similar to those for a short bar magnet?

Can you identify a “*north*” and “*south*” pole for a current loop?

- 2.) An infinitely long wire with current I is bent, as shown in the figure. Answer the following questions about the magnetic field at a point P a distance a away from the bend.



- a.) Is the contribution to the magnetic field due to any portion of the wire zero? Please explain.



- b.) Is *Ampere's Law* or the *Biot-Savart Law* more useful for this problem? Explain.

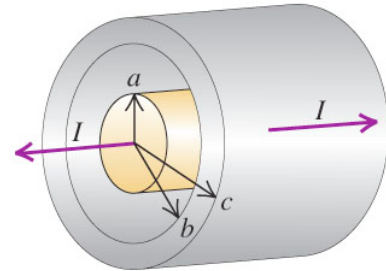
- c.) Using the coordinate system shown, draw the vectors $d\hat{l}$ and \hat{r} . What is the direction of the magnetic field?

- d.) Solve for the magnetic field at the point P . Note that $\int \frac{dx}{(a^2 + x^2)^{3/2}} = \frac{x}{a^2 \sqrt{a^2 + x^2}}$.

e.) Does your answer make sense, compared to other results? Explain.

- 3.) A very long, straight wire with a circular cross section of radius a is supported by insulating disks on the axis of a conducting tube with inner radius b and outer radius c (see figure). The central wire and outer tube carry equal currents I in opposite directions. The central wire carries a *non-uniform* (but cylindrically symmetric) current density described by $J_1 = \alpha r$ where r is the distance from the center of the tube. The outer tube has current distributed uniformly over the cross section described by J_2 .

a.) Is Ampere's law still applicable? Explain. If so, what Amperian loop should you use?



b.) Describe how the problem must be treated differently because of the *non-uniform* current density?

c.) What is the current enclosed in a circular cross section centered on the tube with radius $r < a$? $a < r < b$? $b < r < c$? $r > c$?

d.) Using your answer from part c, solve for α and J_2 in terms of the known variables.

e.) What is the magnetic field in the regions $r < a$? $a < r < b$? $b < r < c$? $r > c$?

Name _____ Disc _____