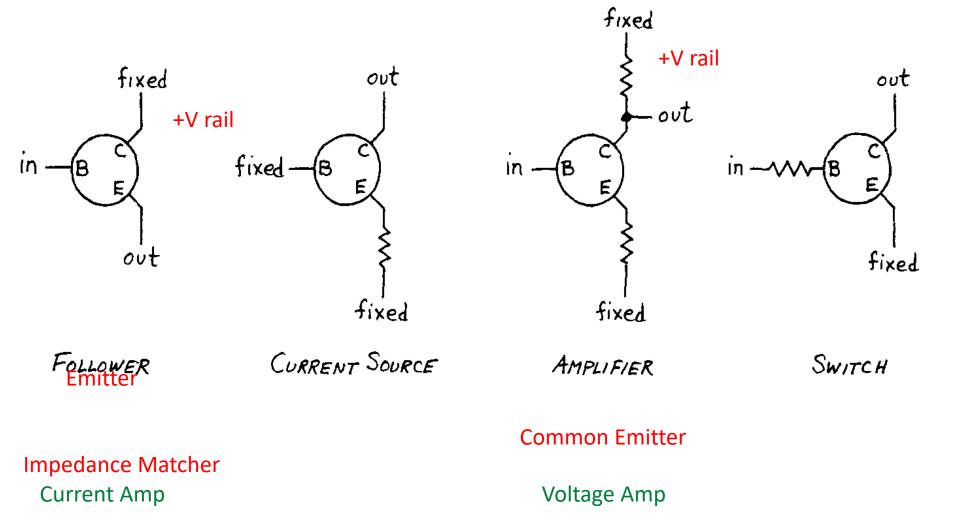
Week 3: Bipolar Transistors Mon 2/10 H&H Labs 4&5 READ p 90-93, 102, 115&6. Last week unfinished? Use make-up! DO NOT DO: Lab 4-7,8; ONLY DO 5-2; optional 4-7. Typical transistor: current gain " $\beta$ " ~ 100. AC or DO "trans-(re)sistor", an impedance matcher, look into each hole: Look into input, want hi Z<sub>input</sub>, easy to drive from previous. x100 more than next stage. gives 100x lower Z<sub>output</sub> ideally: Z<sub>in</sub> hi, Z<sub>out</sub> low p96 Measuring Z: dial resistor box to reduce V by x2 Input voltage dynamic range: set by 0.6v  $V_{BF}$  forward Si diode Output voltage dynamic range (≡compliance): p140 set by 2 voltage supply rails X-ister switch: when "on",  $i_{CE}$  current saturated to get  $V_{CE} \rightarrow 0$ Bias Rs set DC operating "sweet" spot, then optimize AC gain. C<sub>in</sub> & C<sub>out</sub> block external offsets to preserve DC bias voltages see Worked Exs. & assimilate pp 93 p90-3, 115-6 Next Monday's "must" reading:

Differential amps, FET's (field effect transistors): H&H 124-162

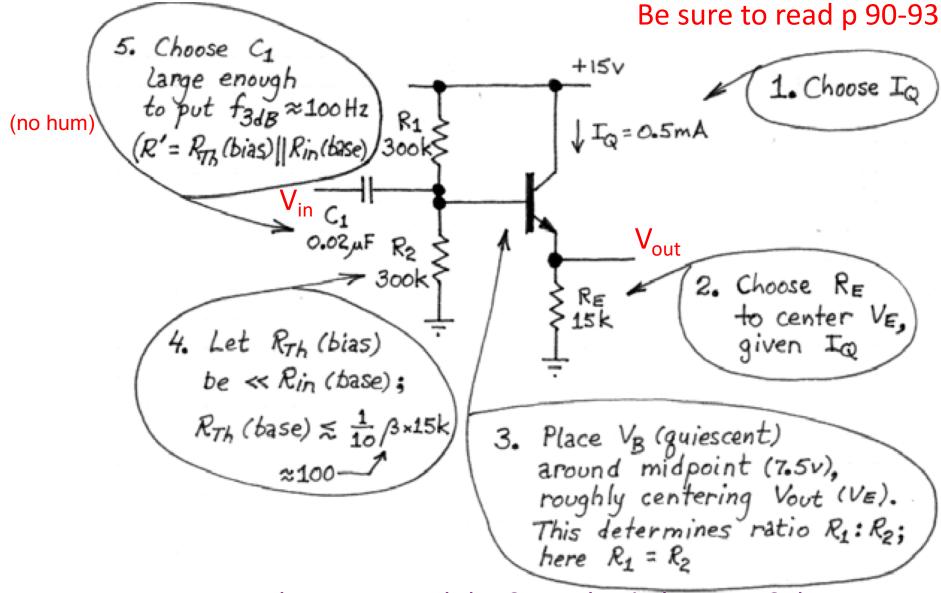
Your transistor circuits...

recognized by where you take your output, where V fixed

p89



Steps in designing a transistor current amp ≡ impedance matcher ...the simplest is EMITTER FOLLOWER (non-inverting *i* amp):



...but temp stability? touch it! linearity? low gain

Design COMMON EMITTER amp: temp stability & hi AC gain, ~100: DC Gain =  $-R_C / R_E$ , nice! Bypass  $R_E$  to get AC gain >  $f_{3dB} \sim 100$  Hz (no hum). Intrinsic, dynamic  $r_e$ , diode-like =  $25\Omega/I_c(mA)$ .  $I_c$  quiescent = 0.5 mA p102; 115&6 1. Choose IQ text p79 7. Choose C1.  $V_{cc} = +20v$ Note that at signal freq To center Vout 2  $R_{in} \approx R_{Th}(bias) || h_{FE}(re+R_3)$ 0.5 MA for IQ = 0.5mA, Rc / R1 220k  $R_c = 20k$ <20k  $\approx 20 \text{ k} \parallel 100 \times 200$  $V_{\text{out}}$ = 10k  $\Rightarrow C_1 = 1/2\pi \cdot 50 \cdot 10k$ 5. Choose  $R_3$  for reg'd gain.  $G = \frac{R_c}{r_e + (R_E || R_3)}$ 1.6v ∓ 0.33µF 1.0V and 12 = 5012 @ Ic = 0.5mA. 82 20k **R**3 R<sub>E</sub> 2k Thus 150 A  $100 \approx \frac{20k}{50 \Omega + R_3} ,$ 4. Find R1: R2 ratio to put VB = 1.6v: CZ and R3 = 150.52 (note 20µF  $\frac{1.6v}{18.4v} = \frac{R_2}{R_1}, \Rightarrow R_1 = 11.5R_2$ effect of RE negligible) 3. Put VE \$1V, --- then ---Set RTh (bias) & Rin (base) 6. Choose Cz. for temp. stab. Circuit f3dB = 100Hz ⇒ Rin(base) ≈ h<sub>FE</sub> R<sub>E</sub> ≈200k ⇒ R<sub>ε</sub> =2k this "filter's" f3dB ≈ 50Hz. so RTH (bizs) \$ 20k. Relevant "R" is R3 + re ⇒ Let R2 = 20k, since  $C_2 = \frac{1}{2\pi} f_{3/B}(R_3 + r_e) = 16\mu F.$  $R_1 \gg R_2 \Rightarrow R_{Th(bias)} \approx R_2$ use 20,1F (or 22,4F)

## What to remember from Week 2?

Ratios: 
$$dB = 10 \log_{10} (P_{out}/P_{in}) = 20 \log_{10} (V_{out}/V_{in})$$
 ..."2" since  $P = V^2/R$   
20  $dB = x 10$  V ratio  
6  $dB = x 2$  V ratio  
3  $dB = x0.707$  V ratio =  $(1/\sqrt{2}) = \frac{1}{2}$  power point

Frequency domain (radians)
$$\omega_{3dB} = 2\pi f = 1/\tau$$
p39vs time domain (Hz) $f_{3dB} = \omega_{3dB}/2\pi$ p40

## Filters

RC

 $\tau = \text{RC}$  time constant for V<sub>out</sub>/V<sub>in</sub> to get to 0.63 of asymptote ~k $\Omega \times \mu$ fd = millisec (ms) = "audio" frequencies 10Hz-20k

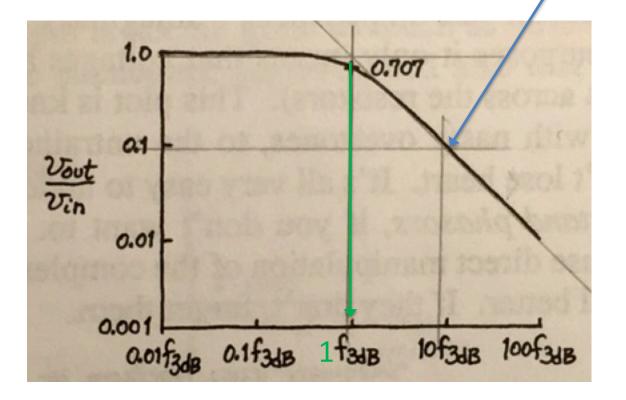
Rolloff response: 6dB/octave (20dB/decade) = x2 V drop per x2 freq, or 10×10see Bode Plot

Hi (frequency) passC = ac HF short, "bypasses" ac<br/>C = smoothing, "blocks" dcp41Low f pass<math>C = smoothing, "blocks" dc(& 45° phase shift)<math>3dB = down x2 in power(& 45° phase shift)

(Coils are a complement:Inductance $\tau = L/R$ C + L give resonance:Tank (resonant) circuit $\omega = 1/\sqrt{LC}$ )

## Bode frequency roll-off plot for a low-pass filter: 6 dB/octave = 20 dB/decade = -1 log-log slope x2 for 2 x10 for 10 straight line

p41



RC filters – time domain vs frequency domain L/R ~same 3 dB (0.707=1/ $\sqrt{2}$ ) inflection point for V<sub>o</sub>/V<sub>i</sub> vs. 6 dB/octave (x2 for x2 in frequency) = 20 dB/decade rolloff in f x2 for 2 x10 for 10 p39

Do not confuse these frequency-domain pictures with the earlier RC step-response picture, (which speaks in the time-domain).

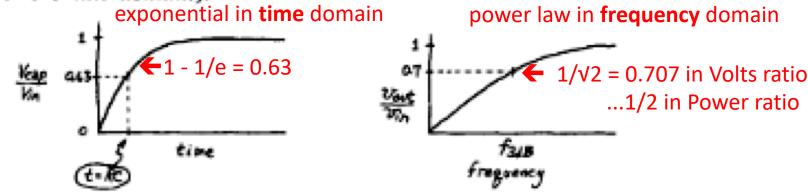


Figure N2.16: Deceptive similarity between shapes of time- and frequency- plots of RC circuits

Not only do the curves look vaguely similar. To make things worse, details here seem tailor-made to deceive you:

- Step response: in the time RC (time-constant), V<sub>eap</sub> moves to about 0.6 of the applied step voltage (this is 1 1/e).
- Frequency domain: at f<sub>3dB</sub>, a frequency determined by RC, the filter's V<sub>out</sub>/V<sub>in</sub> is about 0.7 (this is 1/√2)

## Default scope etiquette... ask for tutorial if at all in doubt

 $V_{in}$  to channel 1, zero at +2 vertical boxes  $V_{out}$  to channel 2, zero at -2 vertical boxes

Trigger: normal, rising slope

Causality  $\Rightarrow$  trigger on input Horizontal trace starts at horizontal box 1 Choose time scale to display a couple of cycles

to see precursors not too many, not too few

~ never use "line" or "auto"

DC coupling...except to see DC offset AC inserts a capacitor in the way *"Thou shall not touch trigger once its operational!!!" "Only use 'Auto' in desperation to find the trace."* Use a x10 probe if you need to minimize disturbance to circuit. Compensate the probe adjusting its capacitance using a square wave; it's Fourier transform has all frequencies.