



Calorimetry in Nuclear and Particle Physics Experiments

Bernd Surrow



Massachusetts
Institute of
Technology

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TIFF (Uncompressed) decompressor
are needed to see this picture.

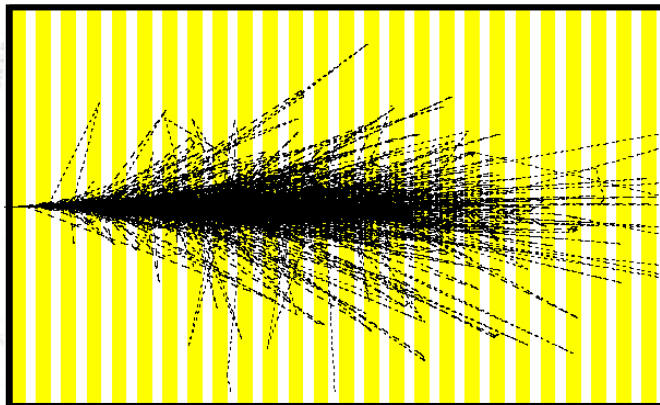
- Electromagnetic showers

- Hadronic showers

- Electromagnetic calorimeters

- Interactions of particles with matter

$E_e = 27.5 \text{ GeV}$



- Hadronic calorimeters

- Introduction

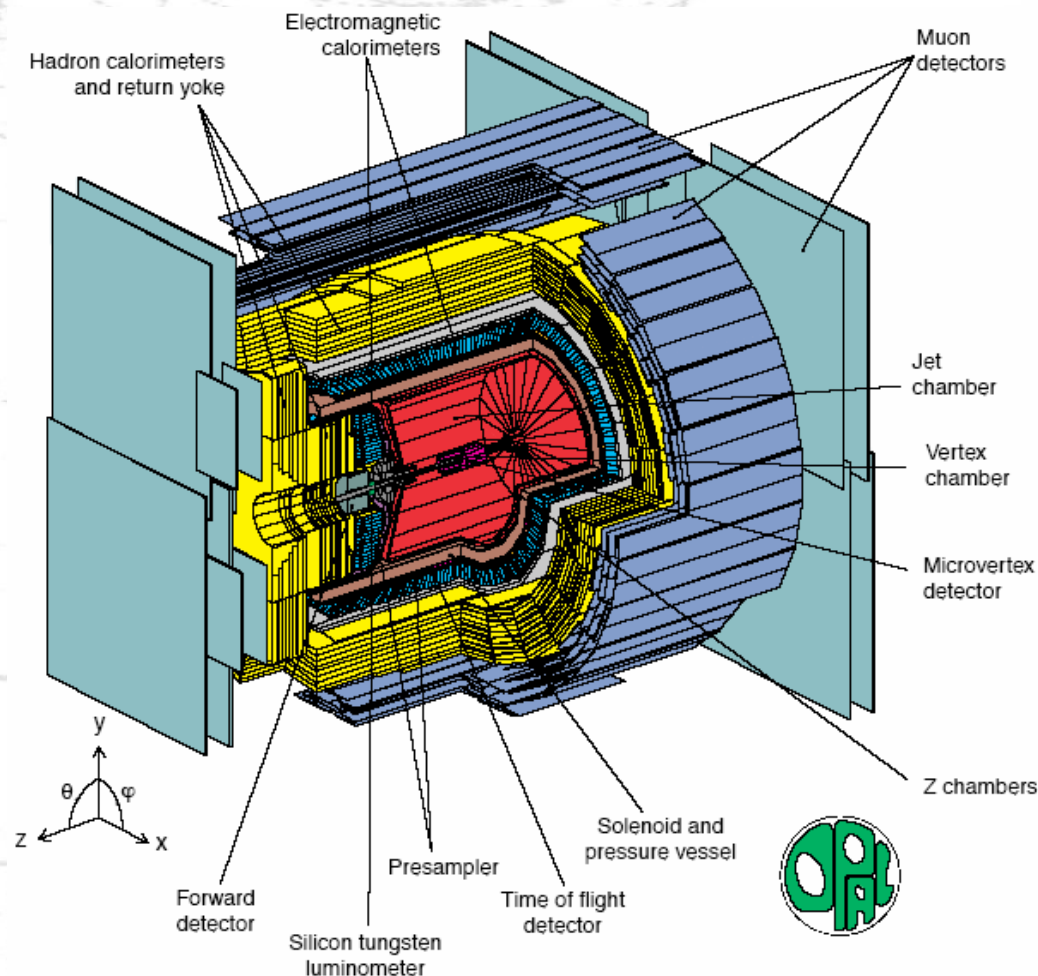
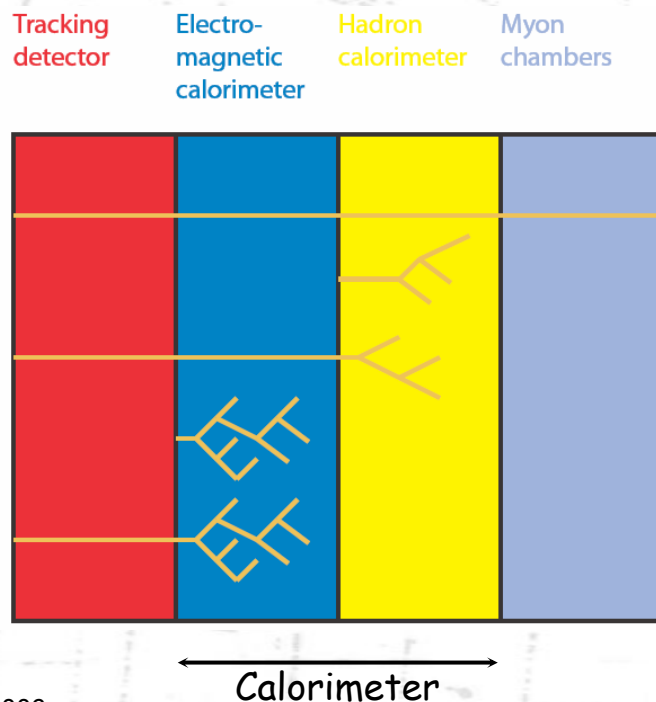
- Summary

■ Definition and importance of calorimetry

- Measure p_μ of final-state particles in high-energy particle collisions

$$p_\mu = (E, \vec{p})$$

- **Calorimeter**: Prime device to measure energy (E) of high-energy particles through total absorption



■ Basic properties of calorimeters

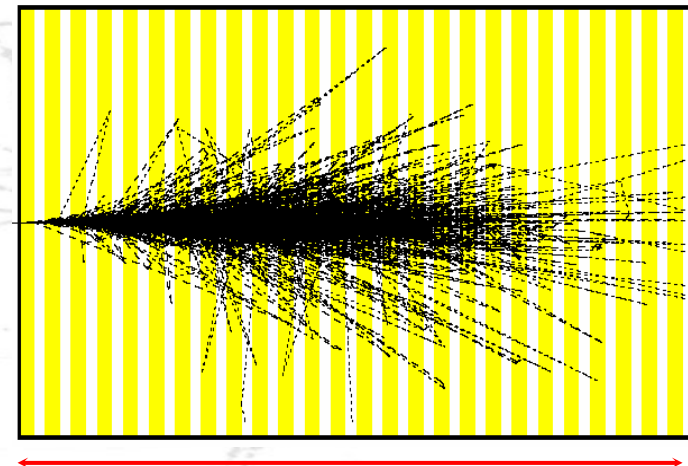
- ❑ Conceptual idea of calorimeter principle: Shower formation of decreasingly lower-energy particles
- ❑ Small fraction of deposited energy is converted into a measurable signal depending on the type of instrumented materials being used:
 - Scintillation light
 - Cherenkov light
 - Ionization charge
- ❑ Important: Calorimeter has to be large enough (long./trans. dimension) to contain the full shower
- ❑ Unique properties of calorimeters:

- **Energy resolution** of well designed calorimeters improve with increasing energy:

$$\sigma_E/E \propto 1/\sqrt{E}$$

- **Longitudinal dimension** necessary to absorb energy
E scales logarithmically with energy E:

$$\propto \ln E$$



- **Segmentation** allows to **measure impact position** of incident particle □□□□
- **Fast time response**, depending on type of instrumented materials, allows to accept high event rate: **Trigger input** □□□□
- **Response** depends on **particle type** (trans./long. shower formation): Means of **electron/hadron separation** □□□□

■ Overview of interaction processes □

- Particles created in the collision of high-energy particle beams experience **electromagnetic** and/or **nuclear interactions** in the detector material they pass through

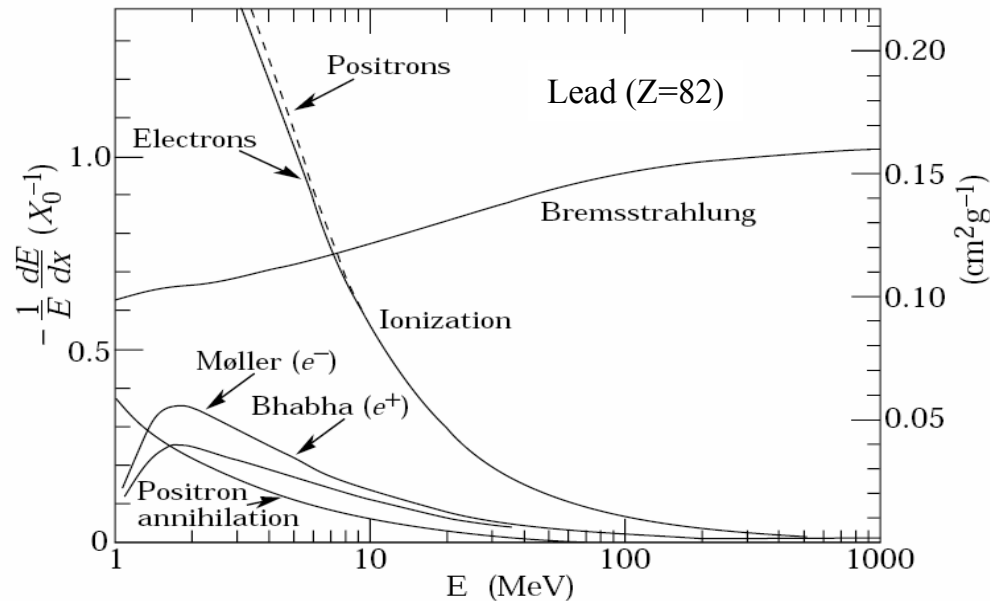
- Understanding these processes: Essential for the design of any detector system!

- Main processes for charged particles: □ □

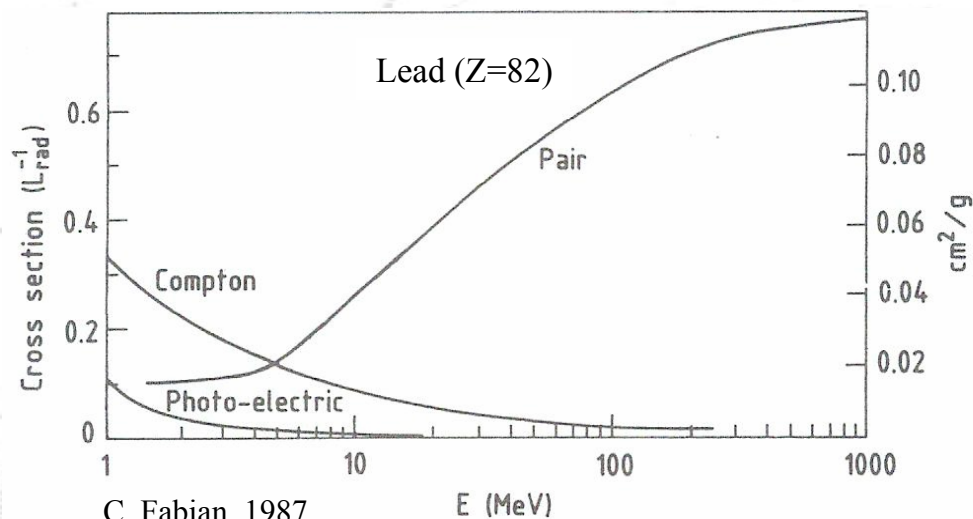
- Ionization
- Cherenkov radiation
- Bremsstrahlung

- Main processes for photons: □ □

- Photoelectric effect
- Compton scattering
- Pair production



C. Fabjan, 1987



C. Fabjan, 1987

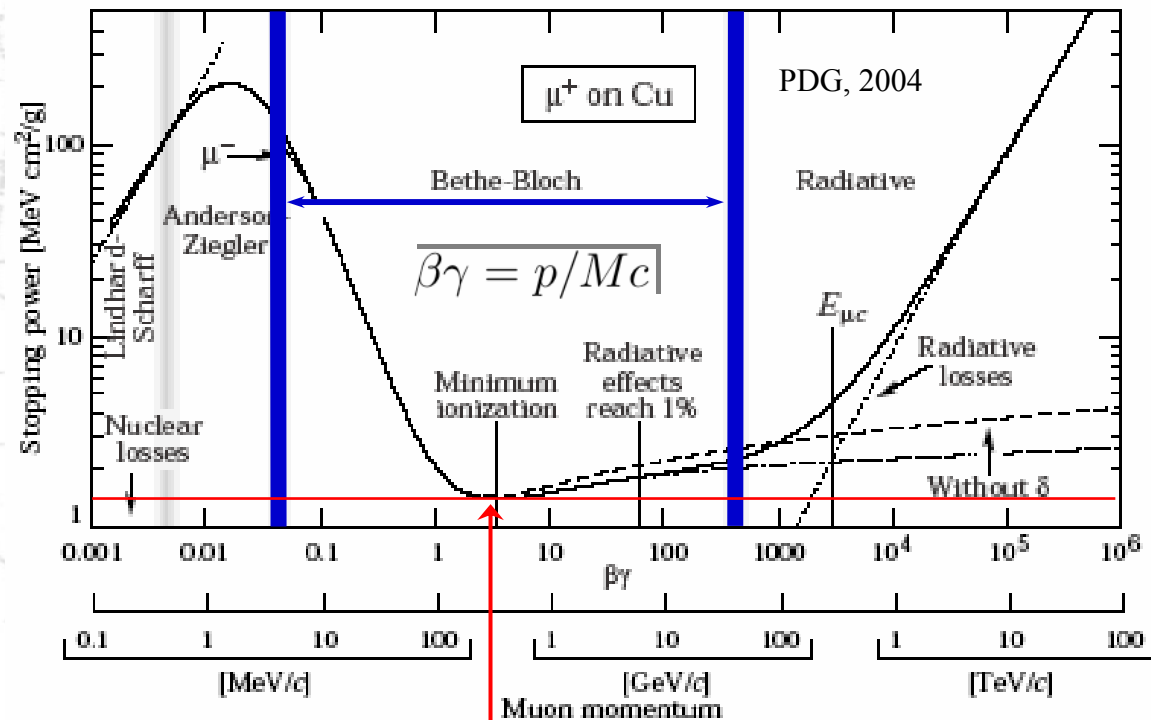
■ Ionization

- Bethe-Bloch equation: Mean energy loss (or stopping power)

$-dE/dx$ in units of:

$$(\text{MeV/cm})/(\text{g/cm}^3) = (\text{MeV cm}^2/\text{g})$$

$-dE/dx$ for charged particles: $M \gg m_e$



$$-\frac{dE}{dx} = K z^2 \frac{Z}{A} \frac{1}{\beta^2} \left[\frac{1}{2} \ln \frac{2m_e c^2 \beta^2 \gamma^2 T_{max}}{I^2} - \beta^2 - \frac{\delta}{2} - \frac{C}{Z} \right]$$

with:

$$T_{max} = \frac{2m_e c^2 \beta^2 \gamma^2}{1 + 2\gamma_e m_e/M + (m_e/M)^2}$$

$$K = 4\pi N_A r_e^2 m_e c^2$$

Note:

1. Density (δ) and shell (C) corrections at high and low energies, respectively
2. $-dE/dx$ for electrons modified due to the kinematics, spin and identity of the incident electron with the medium electrons

Minimum at approx.:

$$\beta\gamma \approx 3$$

($-dE/dx$ of relativistic particles: Close to minimum-ionizing particle (MIP))

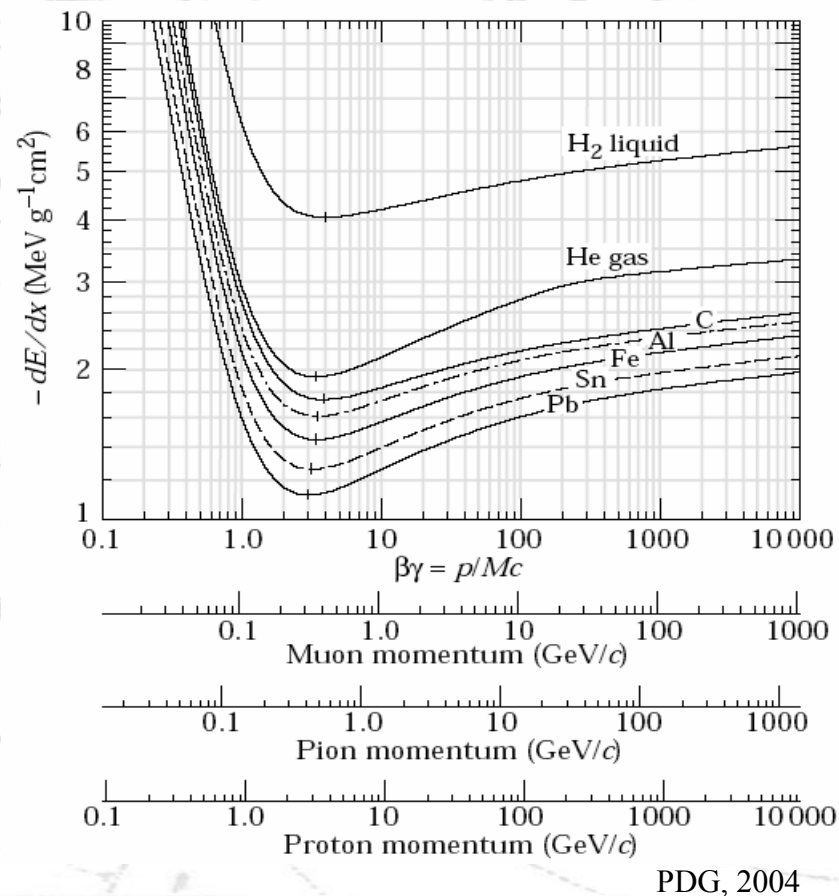


■ Ionization

Material	Z	A	Z/A	dE/dx_{\min} (MeVcm ² /g)	Density (g/cm ³)
H ₂ (liquid)	1	1.008	0.992	4.034	0.0708
He	2	4.002	0.500	1.937	0.125
C	6	12.01	0.500	1.745	2.27
Al	13	26.98	0.482	1.615	2.70
Cu	29	63.55	0.456	1.403	8.96
Pb	82	207.2	0.396	1.123	11.4
W	74	183.8	0.403	1.145	19.3
U	92	238.0	0.387	1.082	19.0
Scint.			0.538	1.936	1.03
BGO			0.421	1.251	7.10
CsI			0.416	1.243	4.53
NaI			0.427	1.305	3.67

□ Medium dependence

- Weak dependence on the medium, since $Z/A \approx 0.5$:

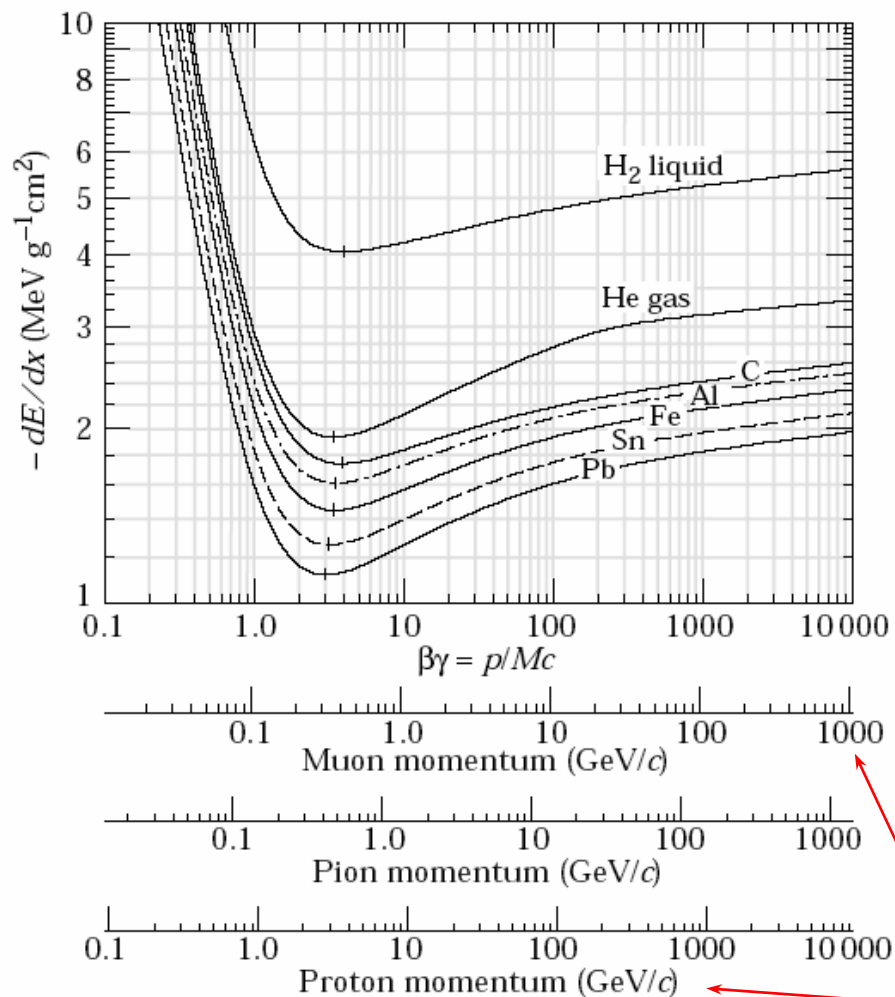


- Scintillator: $dE/dx|_{\min} \approx 2 \text{ MeV/cm}$
- Tungsten: $dE/dx|_{\min} \approx 22 \text{ MeV/cm}$



■ Ionization

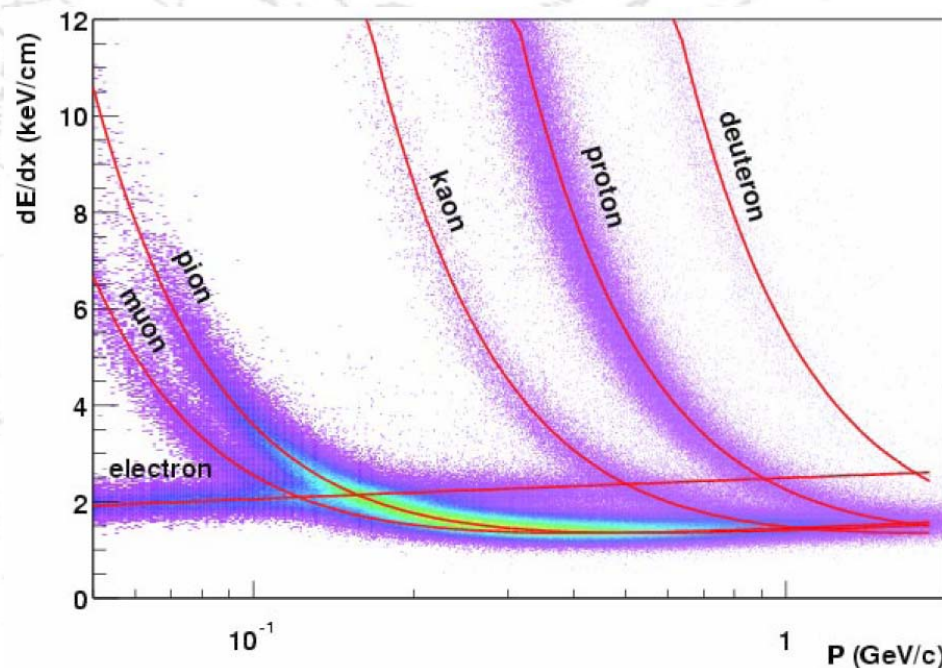
□ Particle mass dependence



PDG, 2004

• STAR Time-Projection Chamber (TPC):

10% Methan / 90% Argon (2mbar above atm. pressure)



$$p = \beta\gamma Mc$$

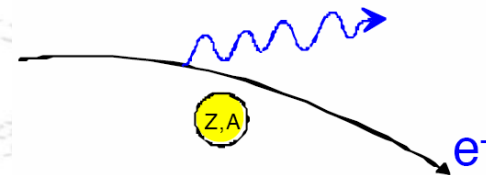
- Minimum in $\beta\gamma \approx 3$ occurs for fixed momentum p at different locations depending on particle mass: Means of particle identification at low momentum p !
- Example: $M_p/M_\mu \approx 10$

Bremsstrahlung

- Radiation of real photons in the Coulomb field of the nuclei of the absorber: Mean energy loss due to Bremsstrahlung

$$\frac{dE}{dx} = -4\alpha \frac{\rho N_A}{A} Z(Z+1) r_e^2 \ln(183Z^{-1/3}) E \propto \frac{E}{m_e^2}$$

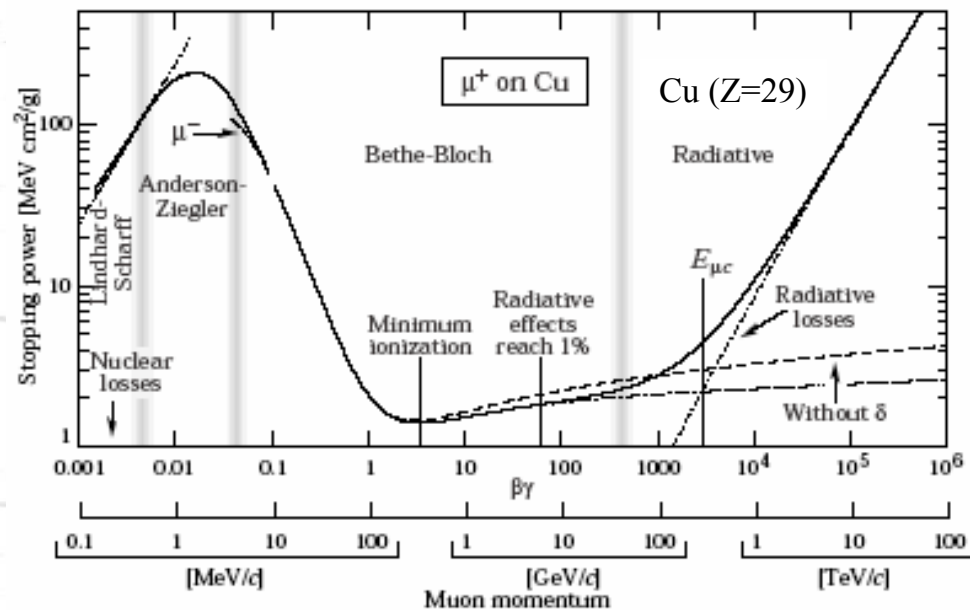
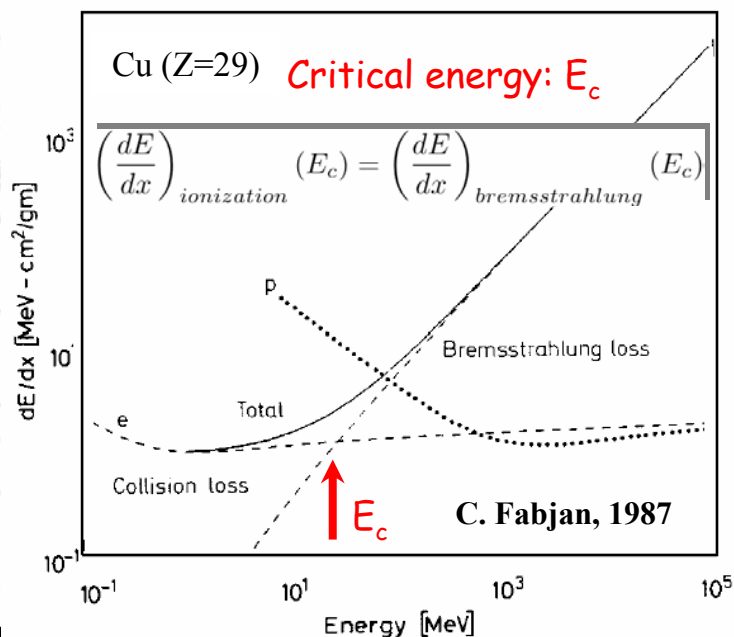
Note: Effect plays only a role for e^{\pm} and ultra-relativistic muons (> 1 TeV)
 $((m_\mu/m_e)^2 \approx 4 \cdot 10^4)$



- Definition of radiation length X_0 : □ □

$$-\frac{dE}{E} = \frac{dx}{X_0}$$

$$\frac{1}{X_0} = 4\alpha \frac{\rho N_A}{A} Z(Z+1) r_e^2 \ln(183Z^{-1/3})$$



■ Bremsstrahlung

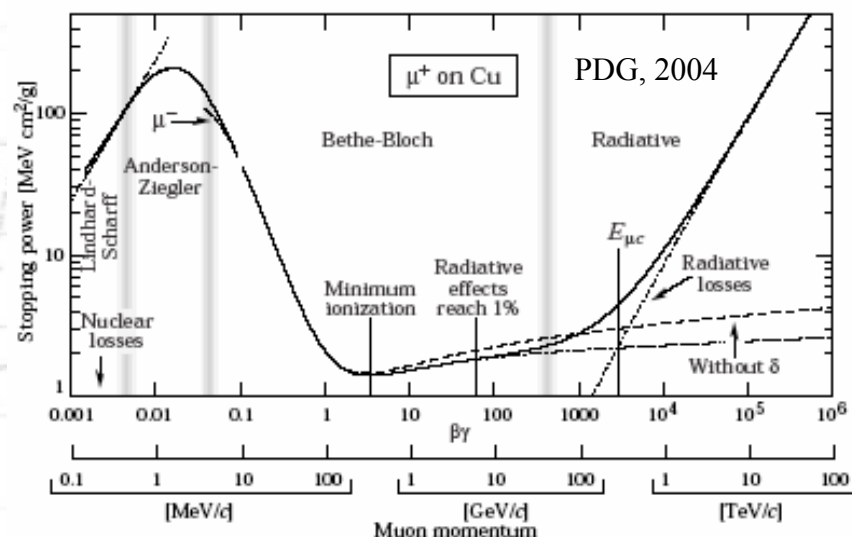
□ Material dependence in radiation length X_0

□ Critical energy: □ □

$$E_c \approx \frac{800 \text{ MeV}}{Z + 1.2}$$

$$E_c(e^- \text{ for Cu } Z = 29) \approx 20 \text{ MeV}$$

$$E_c(\mu^- \text{ for Cu } Z = 29) \approx 800 \text{ GeV}$$



Material	Z	A	Z/A	X_0 (cm)	Density (g/cm ³)
H ₂ (liquid)	1	1.008	0.992	866	0.0708
He	2	4.002	0.500	756	0.125
C	6	12.01	0.500	18.8	2.27
Al	13	26.98	0.482	8.9	2.70
Cu	29	63.55	0.456	1.43	8.96
Pb	82	207.2	0.396	0.56	11.4
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■ Cherenkov radiation

- Definition: Cherenkov radiation arises when a charged particle in a material moves faster than the speed of light in that same medium:

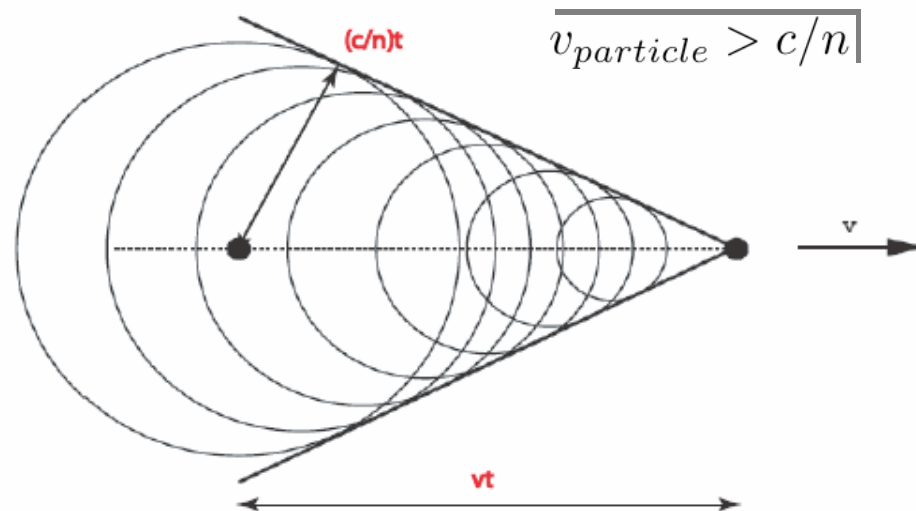
- Condition for Cherenkov radiation to occur:

$$\beta c = v = c/n \quad \cos \theta_c = \frac{1}{\beta n}$$

- Energy emitted per unit path length:

$$\frac{dE}{dx} = 4\pi^2 e^2 \int_{\beta n > 1} \frac{1}{\lambda^3} \left(1 - \frac{1}{\beta^2 n^2} \right) d\lambda$$

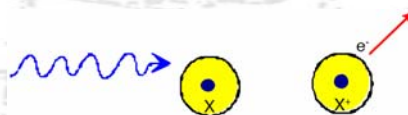
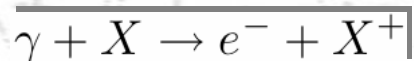
detector material) calorimeter (Type SF5):



- Density: $\rho = 4.08 \text{ g/cm}^3$
- Radiation length: $X_0 = 2.54 \text{ cm}$
- Index of refraction: $n = 1.67$

■ Interactions of photons with matter

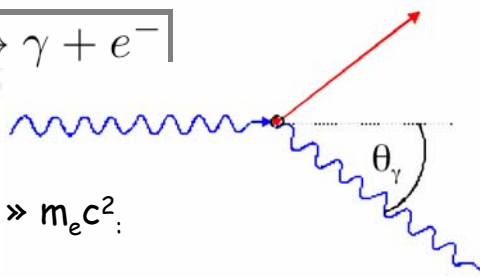
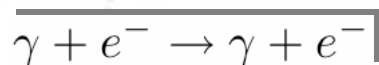
□ Photoelectric effect



For $E_\gamma \ll m_e c^2$ and the fact that for E_γ above the K shell, almost only K electrons are involved one finds:

$$\sigma_{photo} = \sqrt{\left(\frac{32}{\epsilon^7}\right) \alpha^4 Z^5 \sigma_{th}} \quad \sigma_{th} = \frac{8}{3} \pi r_e^2 \quad \epsilon = \frac{E_\gamma}{m_e c^2}$$

□ Compton scattering □ □



Assume electrons as quasi-free and $E_\gamma \gg m_e c^2$:

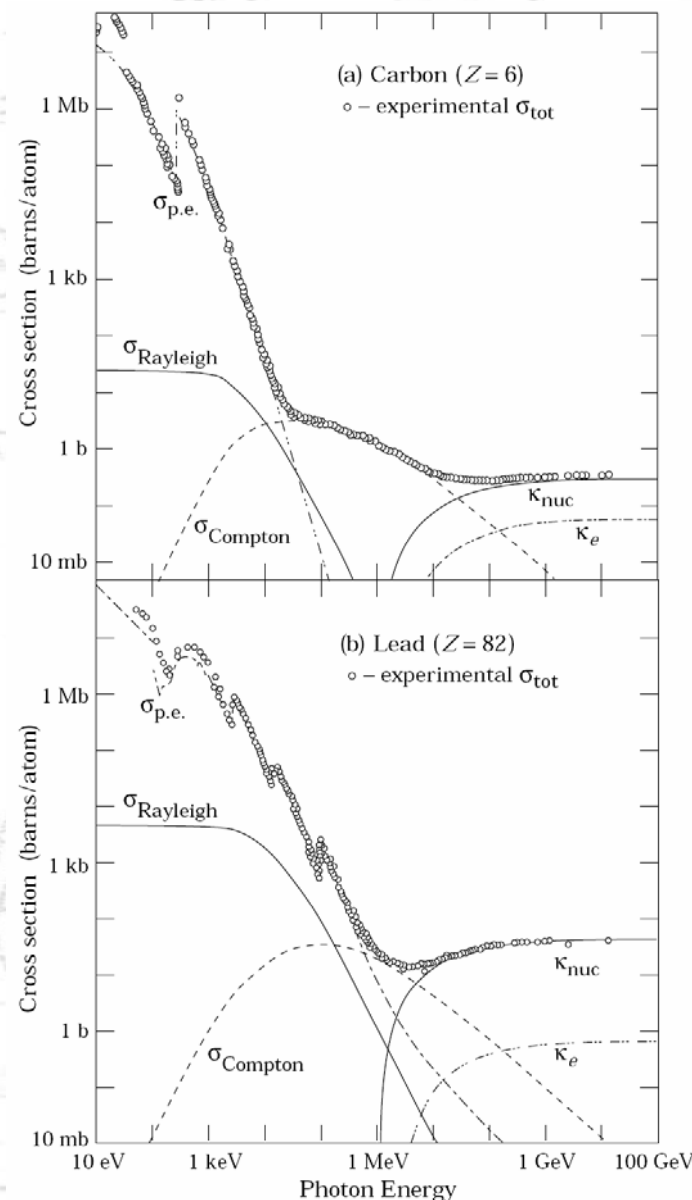
$$\sigma_c = \frac{3}{8} \sigma_{th} \frac{1}{\epsilon} \left\{ \ln(\epsilon) + \frac{1}{2} \right\}$$

(Klein-Nishina)

$$E'_\gamma = E_\gamma \frac{1}{1 + \epsilon(1 - \cos \theta_\gamma)}$$

Atomic Compton cross-section:

$$\sigma_c^{atomic} = Z \sigma_c$$



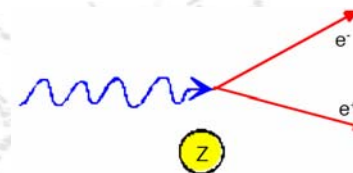
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■ Interactions of photons with matter

□ Pair production

$$\sigma_{pair} = 4\alpha Z(Z+1)r_e^2 \left[\frac{7}{9} \ln(183Z^{-1/3}) - \frac{1}{54} \right]$$



$$\frac{1}{\lambda_{pair}} = \frac{N_A \rho}{A} \sigma_{pair} \approx \frac{7}{9} 4\alpha \frac{\rho N_A}{A} Z(Z+1)r_e^2 \ln(183Z^{-1/3}) = \frac{7}{9} \frac{1}{X_0}$$

$$\frac{1}{\lambda_{pair}} \approx \frac{7}{9} \frac{1}{X_0}$$

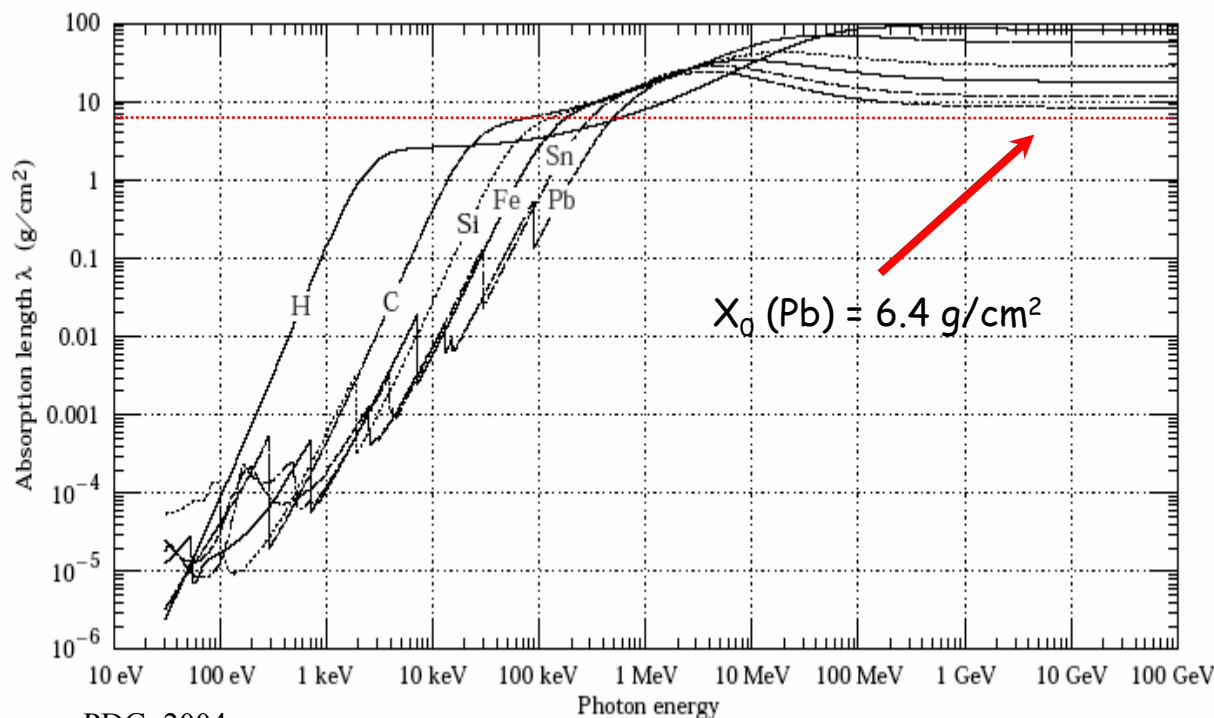
□ Absorption coefficient

Total probability for γ interaction in matter:

$$\sigma = \sigma_{photo} + Z\sigma_c + \sigma_{pair}$$

Probability per unit length or total absorption coefficient (Inverse of absorption length λ of γ):

$$\mu = \sigma \left(\frac{N_A \rho}{A} \right) \quad I = I_0 e^{-\mu x}$$



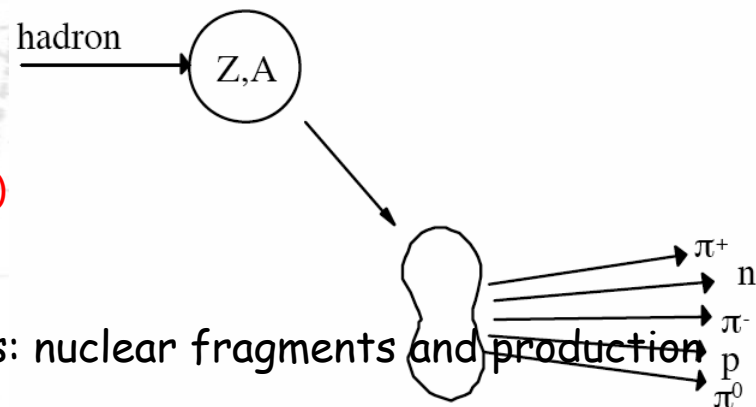
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■ Nuclear interactions

- The interaction of energetic hadrons (charged or neutral) is determined by various nuclear processes:

Multiplicity $\propto \ln(E)$

$P_{\text{t}} < 1 \text{ GeV}/c$



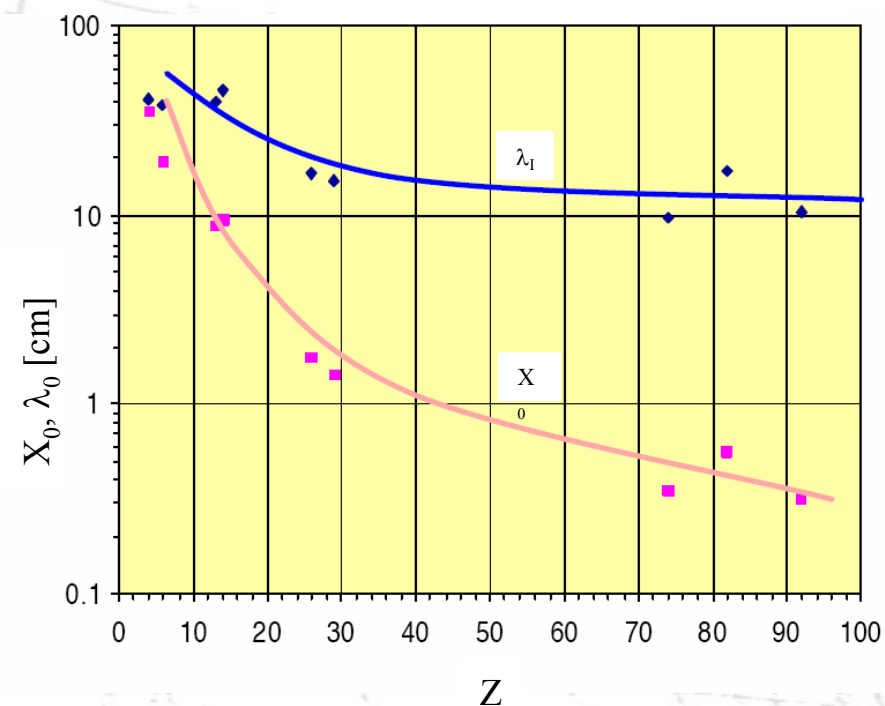
- Excitation and finally breakup of nucleus: nuclear fragments and production of secondary particles
- For high energies ($> 1\text{GeV}$) the cross-sections depend only little on the energy and on the type of the incident particle (p, π, K, \dots)
- Define in analogy to X_0 a hadronic interaction length λ_I :

$$\lambda_I = \frac{A}{N_A \sigma_{total}} \propto A^{\frac{1}{3}}$$



- Comparison of nuclear interaction length (in cm) and radiation length (in cm)

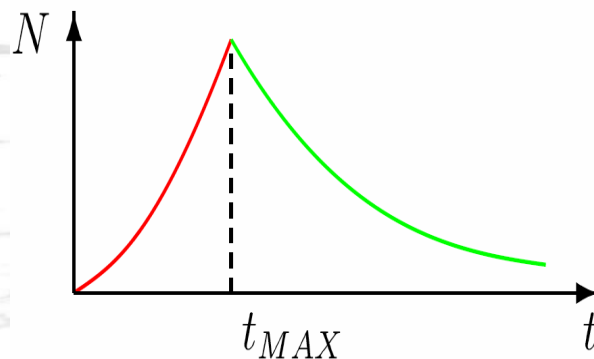
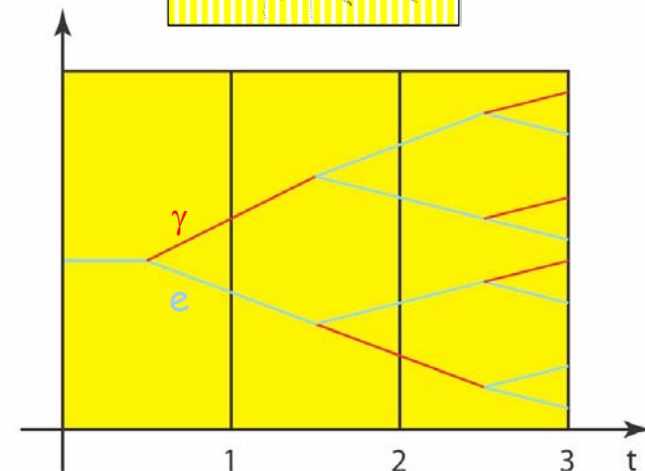
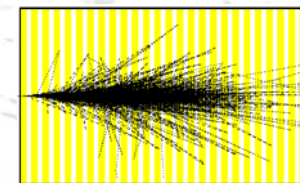
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■ Electromagnetic shower development

□ Simple qualitative model for shower development (Heitler)

- Consider only: Bremsstrahlung and pair production
- Each electron with $E > E_c$ travels $1X_0$ and then gives up half of its energy to a bremsstrahlung photon
- Each photon with $E > E_c$ travel $1X_0$ and then undergoes pair production with each created particle receiving half of the energy of the photon
- Electrons with $E < E_c$ cease to radiate and lose remaining energy through ionization
- Neglect ionization losses for $E > E_c$



Total number of particles after $t X_0$:

$$N(t) = 2^t = e^{t \ln 2}$$

Average energy of shower particle at depth t :

$$E(t) = E_0/2^t = E_0/e^{t \ln 2}$$

$$E(t) = E_c \quad t_{max} = \ln(E_0/E_c)/\ln 2 \propto \ln(E_0)$$

$$N_{max} = e^{t_{max} \ln 2} = E_0/E_c$$

After $t=t_{max}$: ionization, compton effect and photoelectric effect!

Longitudinal shower profile

- Size of shower grows only logarithmically with E
- Rossi's approximation B (Analytical description of shower development):

quantity	incident electron	incident photon
t_{max}	$\ln y - 1$	$\ln y - 0.5$
t_{med}	$t_{max} + 1.4$	$t_{max} + 1.7$
N_{max}	$\frac{0.3y}{\sqrt{\ln y - 0.37}}$	$\frac{0.3y}{\sqrt{\ln y - 0.31}}$

- Longitudinal profile:

$$\frac{dE}{dt} = E_0 \frac{b^{\alpha+1}}{\Gamma(\alpha+1)} t^{\alpha} e^{-bt}$$

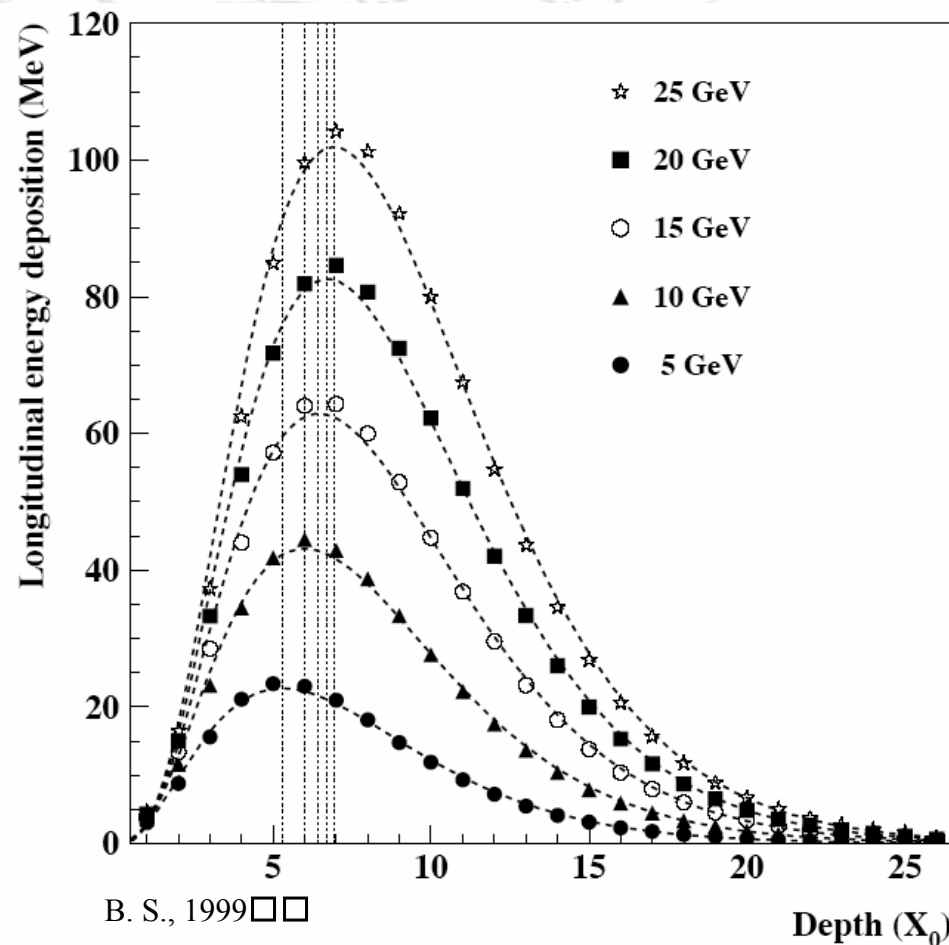
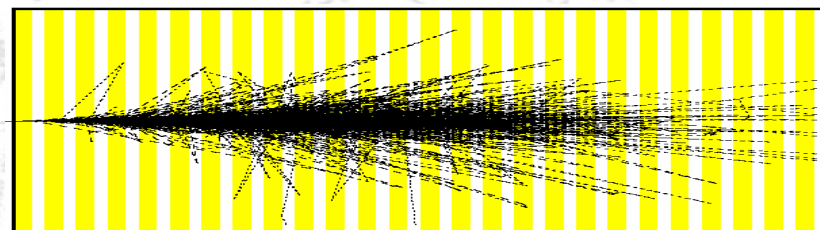
- 95% shower containment

$$t_{max} = \alpha/b$$

$$t_{max}(25\text{GeV for W}) \approx 7$$

$$L(95\%) \approx t_{max} + 0.08Z + 9.6$$

$$L(95\% \text{ for W}) \approx 22$$



■ Transverse shower profile

□ Contributions to widening of shower:

- Opening angle between e^-/e^+ for pair production
- Emission of bremsstrahlung photons
- Multiple scattering, dominant for the low-energy part of shower

□ Transverse shower structure:

- High-energy core
- Low-energy halo

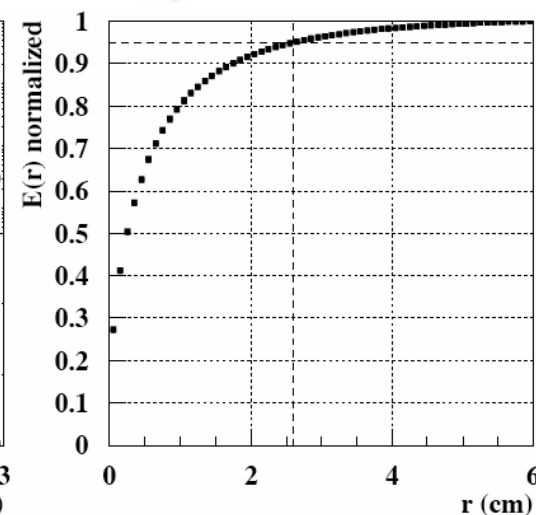
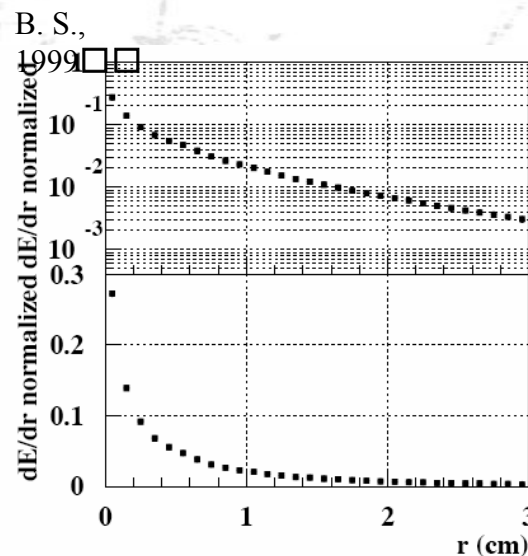
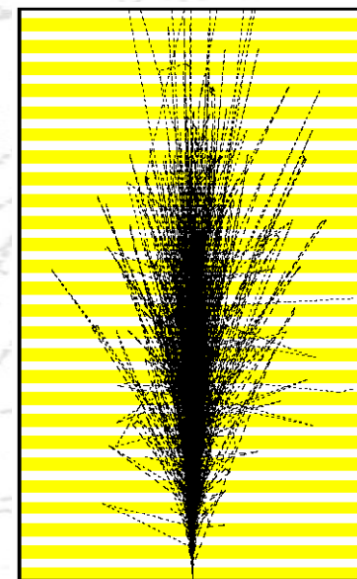
$$\left(\frac{dE}{dr} \right) = \frac{1}{N} \left\{ e^{-\sqrt{r/\lambda_1}} + C_{12} e^{-r/\lambda_2} \right\}$$

□ Gradual widening of shower scales with Molière radius R_M : $E_S \approx 21 \text{ MeV}$

$$\square \quad R_M \approx 7 \frac{A}{Z} \quad \text{cont} \quad R_M \approx E_S \frac{X_0}{E_c}$$

$$\overline{R(95\%) \approx 2R_M}$$

$$\overline{\text{For W : } R(95\%) \approx 2R_M = 2 \text{ cm}}$$



■ Calorimeter types

□ Homogeneous calorimeter

- Detector=Absorber
- Good energy resolution
- Limited position resolution
- Only used for electromagnetic calorimetry

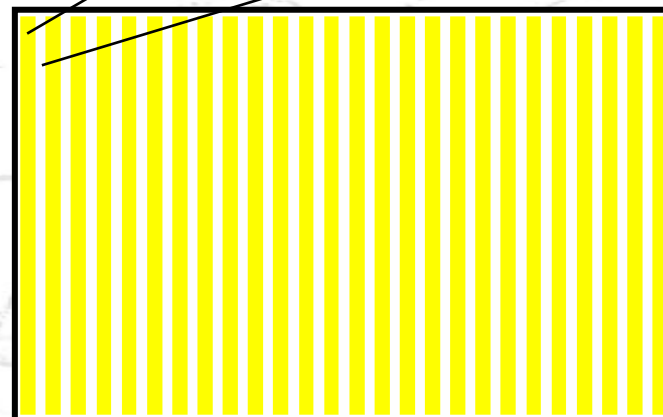
Example: Pb-glass



□ Sampling calorimeter

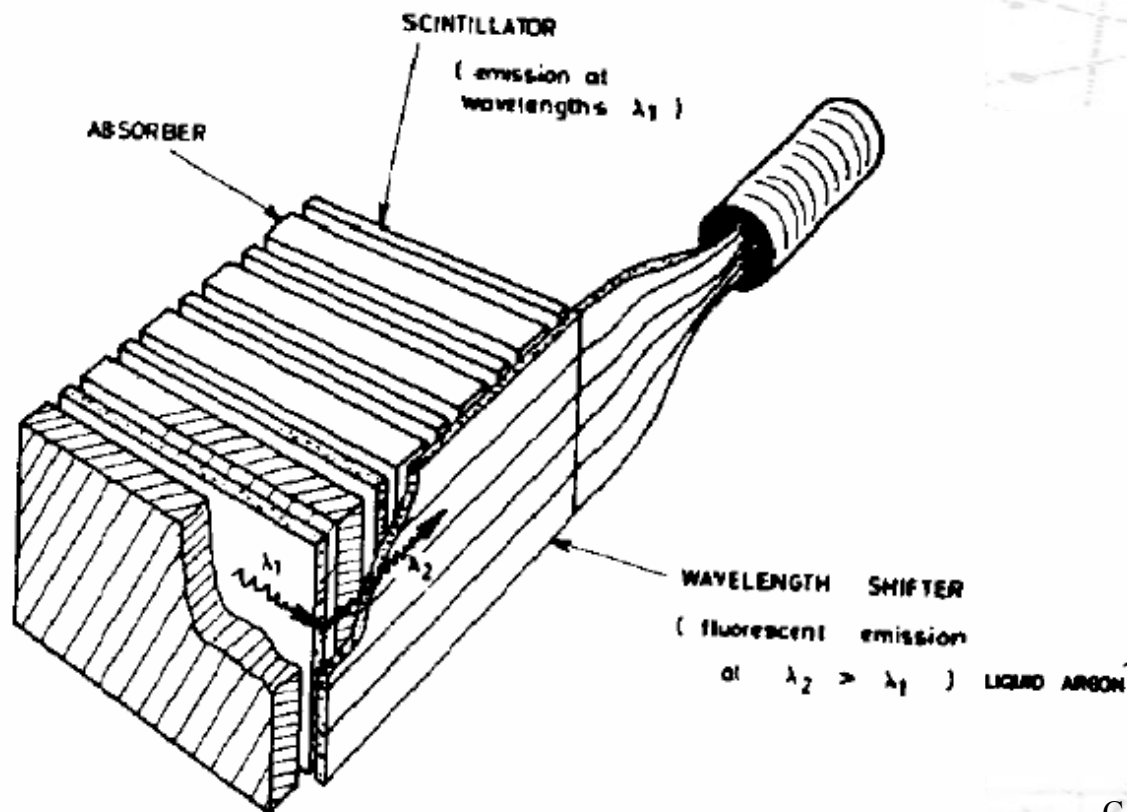
- Detectors (active material) and absorber (passive material) separated: Only part of the energy is sampled
- Limited energy resolution
- Good position resolution
- Used both for electromagnetic and hadron calorimeter

Example: Tungsten (W) - scintillator



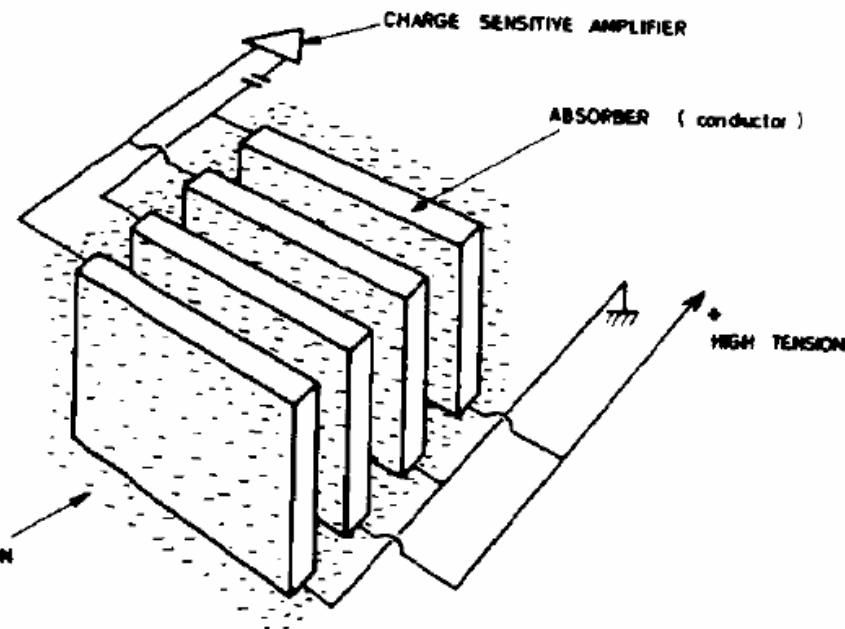
■ Basic readout types for sampling calorimeters

□ Metal-scintillator sandwich structure □ □



C. Fabjan and T. Ludlam, 1987

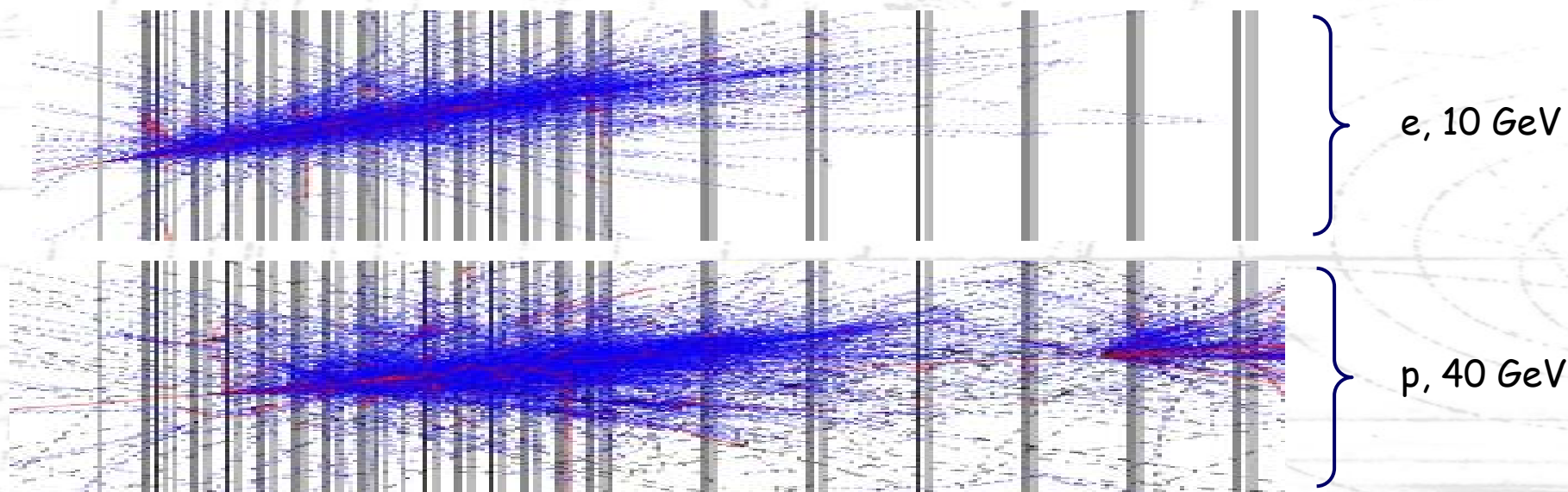
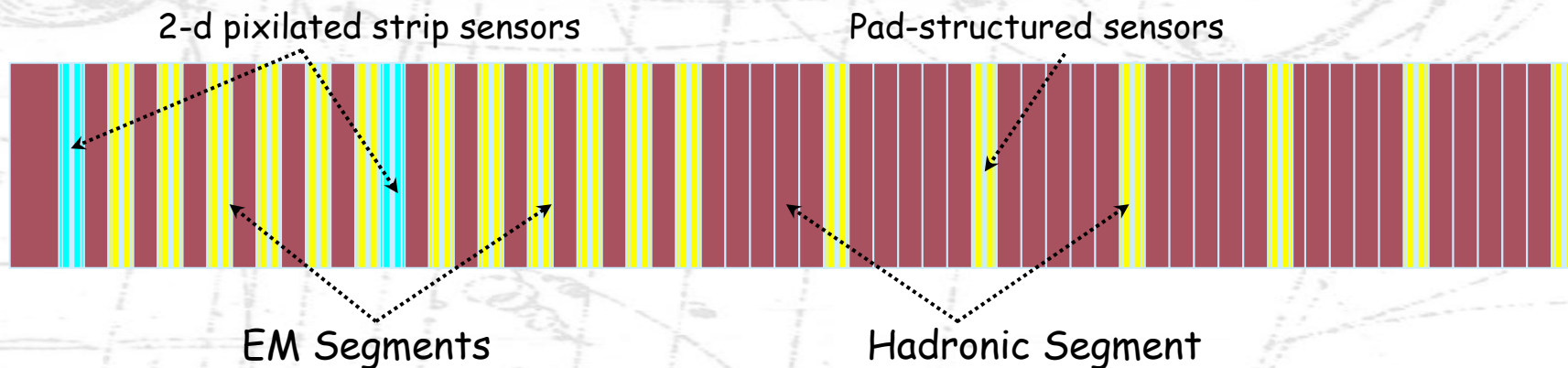
□ Metal-liquid argon ionization chamber □ □



C. Fabjan and T. Ludlam, 1987

- Basic readout types for sampling calorimeters

- Silicon-Tungsten Calorimeter (Here: PHENIX Silicon-Tungsten Upgrade) □ □





■ Scintillators

□ General comments

- Concept: Small fraction energy lost by a charged particle can excite atoms in the scintillation medium. A small percentage of the energy released in the subsequent deexcitation can produce visible light
- Inorganic (e.g. crystals: BGO, CsI, PbWO_4) and organic scintillator are known
- Organic scintillators: Organic crystals and liquid scintillators and plastic scintillators

□ Plastic scintillators

- Wide-spread use as trigger counters and in the calorimeter sampling structures as active detector material
- Example: Rough design numbers for a plastic scintillator coupled to a photomultiplier tube (PMT):

- Energy loss in plastic (MIP): 2MeV/cm
- Scintillation efficiency: $1\text{photon}/100\text{eV}$
- Collection efficiency: 0.1
- Quantum efficiency: 0.25

Number of photoelectrons: ~ 500

With a PMT gain of 10^6 one would collect 80pC!

■ Energy resolution: General considerations

□ Intrinsic fluctuations

- Track length T : Total length of all charged particle tracks within a calorimeter
- Total detectable track length:

$$T = F(z) \frac{E_0}{E_c}$$

$$z = 4.58 \frac{Z}{A} \frac{E_{min}}{E_c}$$

$$F(z) = e^z [1 + z \ln(z/1.526)]$$

- Number of energy depositions above minimum detectable energy E_{min} :

$$N_{max} = E_0/E_{min}$$

- Intrinsic resolution:
- Illustrative example: Pb-glass

$$(\sigma_E/E)_{intrinsic} \sim \sigma_{N_{max}}/N_{max} = 1/\sqrt{N_{max}} \propto 1/\sqrt{E_0}$$

$$E_{min} \simeq 0.7 \text{ MeV for } E_0 = 1 \text{ GeV}$$

□ Intrinsic sampling fluctuations

- In a sampling calorimeter, one determines not the total track length T but only a fraction of it depending on the thickness of passive and active absorber plates

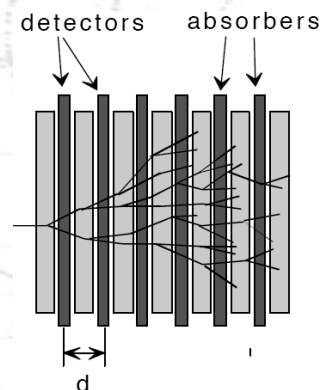
$$N_{max} = 1000/0.7 = 1500$$

⇒ Resolution: few percent!

- Number of crossings:
- Sampling resolution:

$$N_x = \frac{T_d}{d} = F(z) \frac{E_0}{E_c d}$$

$$(\sigma_E/E)_{sampling} \sim \sigma_{N_x}/N_x = 1/\sqrt{N_x}$$



■ Energy resolution: General considerations

□ Instrumental effects

- Effects other than the intrinsic resolution components are accounted for as follows:

$$\left(\frac{\sigma_E}{E}\right) = \frac{a}{\sqrt{E}} \oplus b \oplus \frac{c}{E}$$

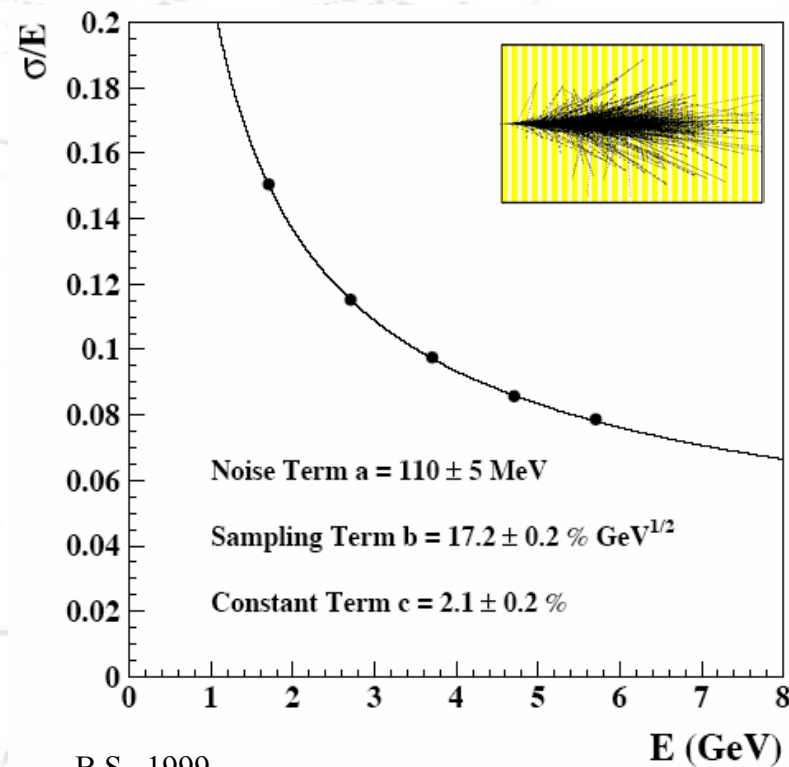
Stochastic term

Constant term
(Imperfections in
calorimeter design
and calibration)

Noise term (e.g.
electronic noise)

□ Additional contributions to the energy resolution □ □

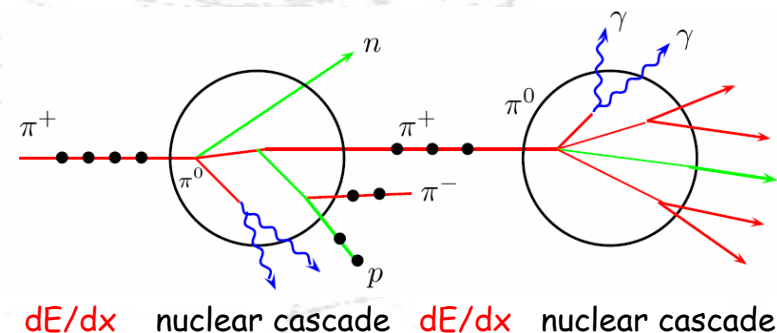
- Longitudinal shower leakage
- Transverse shower leakage
- Dead material effects



■ Hadronic shower development

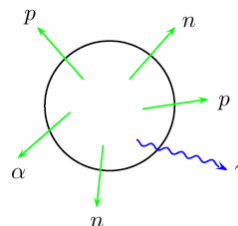
- General comment: Complexity of hadronic and nuclear processes produce multitude of effects that determine the functioning and performance of hadron calorimeters
 - Many channels compete in the development of hadronic showers
 - Larger variations in the deposited and visible energy
 - More complicated to optimize
- Sizeable electromagnetic (e) besides hadronic (h) shower contribution mainly from π^0 decay (1/3 of pions)
- **Invisible energy** due to delayed emitted photons in nuclear reactions, soft neutrons and binding energy
- Visible energy smaller for hadronic (h) than for electromagnetic (e) showers: Ratio of response $e/h > 1$
- Larger intrinsic fluctuations for hadronic than electromagnetic showers
- Improvements: Increase visible energy to get $e/h=1$: Compensation (Compensation for the loss of invisible energy)!
- Discussed instr. effects for e showers also hold for h showers

Step 1: Production of energetic hadrons with a mean free path given by the nuclear interaction length:

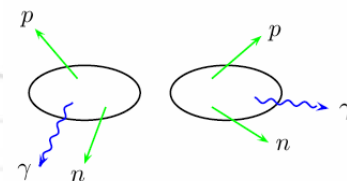


Step 2: Hadronic collisions with material nuclei (significant part of primary energy is consumed in nuclear processes):

Evaporation



Evaporation followed by fission



■ Hadronic shower profile

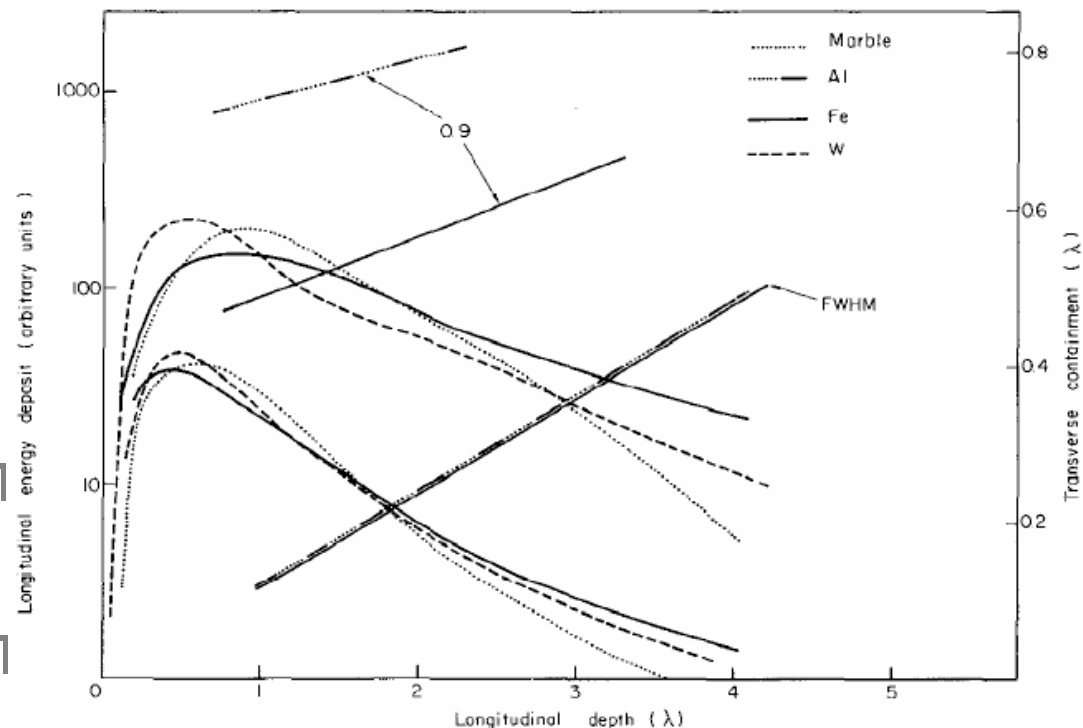
- Longitudinal and transverse shower shape characterized by λ_I
- Hadronic showers are much longer and broader than electromagnetic showers: M_e of e/h separation
- Longitudinal containment:

$$t_{95\%} = a \ln E + b$$

$$t_{max}(\lambda_I) = 0.2 \ln E + 0.7$$

$$Fe : a = 9.4, b = 39, E = 100 GeV : t_{95\%} = 80 cm$$

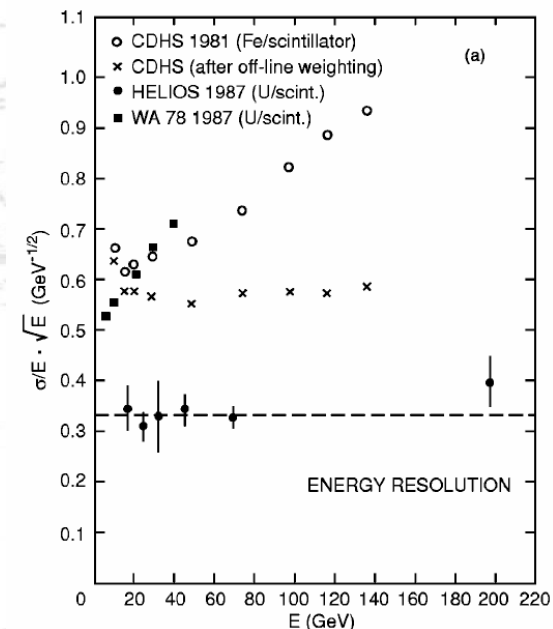
- 95% of shower contained with a cylinder of radius λ_I
- Example: 16.7 cm for Fe



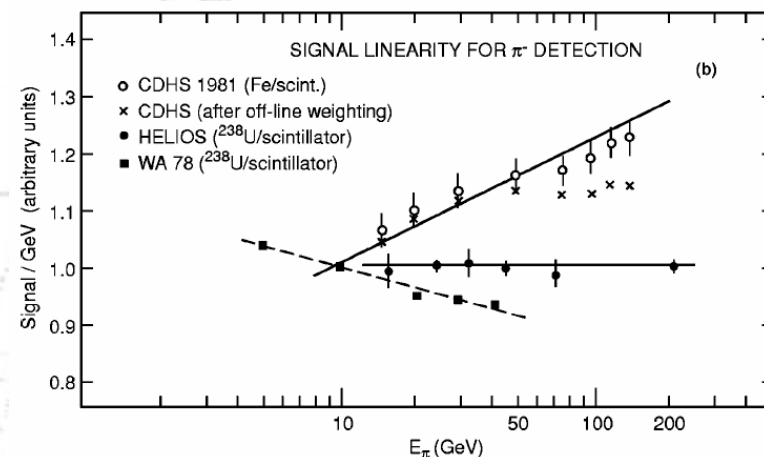
C. Fabjan, 1987

■ Energy resolution: Concept of compensation

- Compensation for loss of invisible energy: $e/h=1$
- Noncompensating detectors show deviations from scaling in $1/\sqrt{E}$ and non-linearity in signal response
- How can compensation be achieved?
 - Reduce e and increase h component
 - High-Z material such as U will absorb larger fraction of energy of **electromagnetic part** of shower: Smaller signal in active part from e contribution!
 - For the **hadronic part**, low energy neutrons are not affected by U. Interaction of n with hydrogen (large n -p cross section): Recoil proton produced in active part contributes to calorimeter signal thus larger signal in active part from h contribution
 - The amount of electromagnetic reduction and neutron amplification is set by the ratio of absorber to active material: Tuning this ratio yields compensation!
 - Other techniques: Software compensation (H1 Liquid Ar calorimeter)



C. Fabjan and F. Gianotti, 2003



C. Fabjan and F. Gianotti, 2003

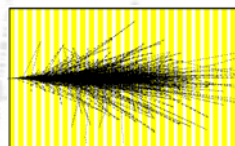
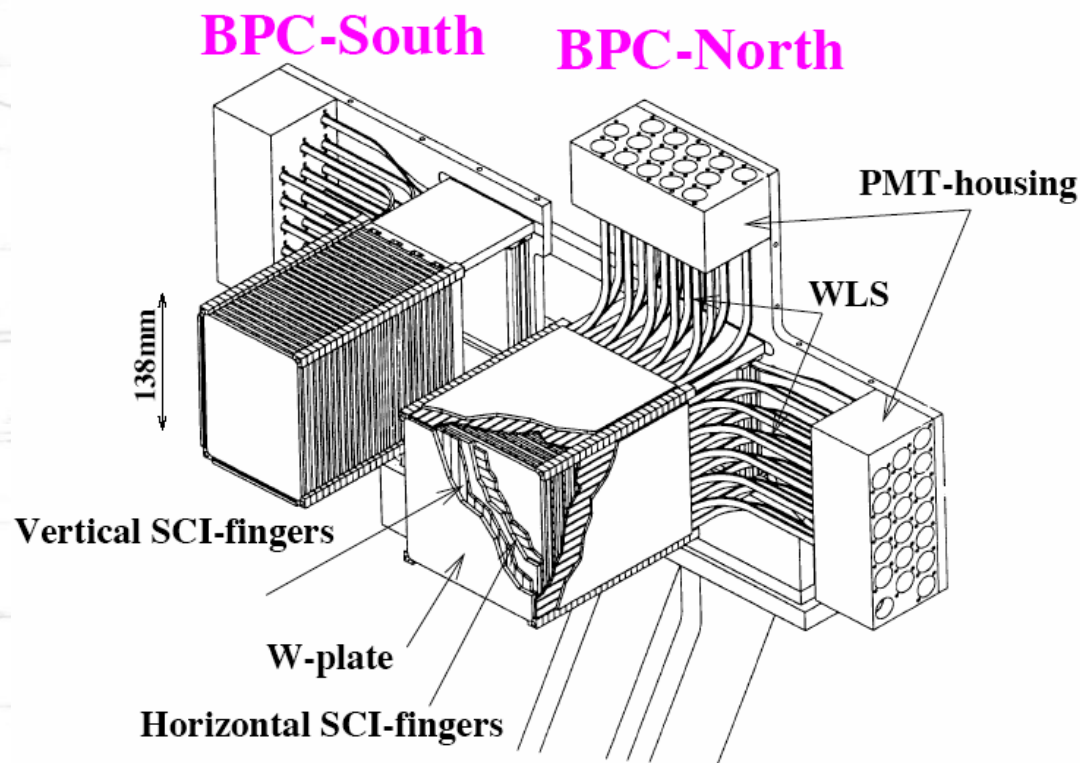


■ Overview

Technology (Experiment)	Depth	Energy resolution	Date
NaI(Tl) (Crystal Ball)	$20X_0$	$2.7\%/E^{1/4}$	1983
Bi ₄ Ge ₃ O ₁₂ (BGO) (L3)	$22X_0$	$2\%/\sqrt{E} \oplus 0.7\%$	1993
CsI (KTeV)	$27X_0$	$2\%/\sqrt{E} \oplus 0.45\%$	1996
CsI(Tl) (BaBar)	$16\text{--}18X_0$	$2.3\%/E^{1/4} \oplus 1.4\%$	1999
CsI(Tl) (BELLE)	$16X_0$	1.7% for $E_\gamma > 3.5$ GeV	1998
PbWO ₄ (PWO) (CMS)	$25X_0$	$3\%/\sqrt{E} \oplus 0.5\% \oplus 0.2/E$	1997
Lead glass (OPAL)	$20.5X_0$	$5\%/\sqrt{E}$	1990
Liquid Kr (NA48)	$27X_0$	$3.2\%/\sqrt{E} \oplus 0.42\% \oplus 0.09/E$	1998
Scintillator/depleted U (ZEUS)	$20\text{--}30X_0$	$18\%/\sqrt{E}$	1988
Scintillator/Pb (CDF)	$18X_0$	$13.5\%/\sqrt{E}$	1988
Scintillator fiber/Pb spaghetti (KLOE)	$15X_0$	$5.7\%/\sqrt{E} \oplus 0.6\%$	1995
Liquid Ar/Pb (NA31)	$27X_0$	$7.5\%/\sqrt{E} \oplus 0.5\% \oplus 0.1/E$	1988
Liquid Ar/Pb (SLD)	$21X_0$	$8\%/\sqrt{E}$	1993
Liquid Ar/Pb (H1)	$20\text{--}30X_0$	$12\%/\sqrt{E} \oplus 1\%$	1998
Liquid Ar/depl. U (DØ)	$20.5X_0$	$16\%/\sqrt{E} \oplus 0.3\% \oplus 0.3/E$	1993
Liquid Ar/Pb accordion (ATLAS)	$25X_0$	$10\%/\sqrt{E} \oplus 0.4\% \oplus 0.3/E$	1996

■ Sampling calorimeter: ZEUS Beam Pipe Calorimeter (BBC) at ep collider HERA

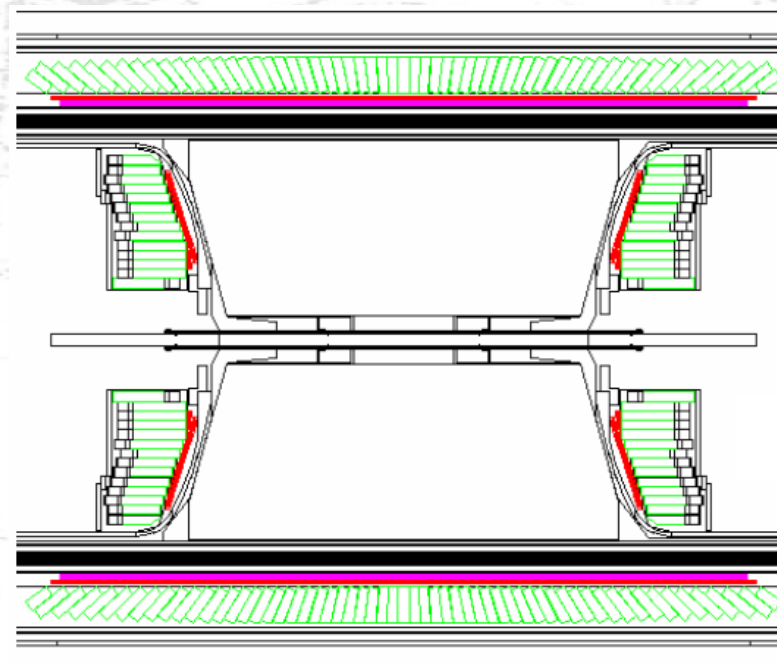
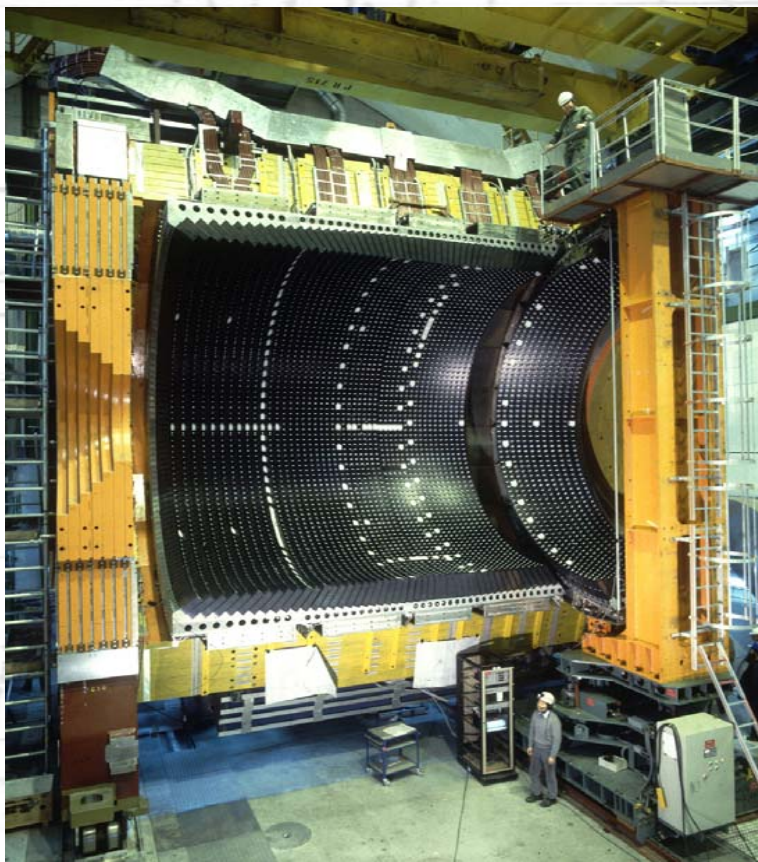
□ Specifications:



- Tungsten-scintillator electromagnetic-sampling calorimeter
- Depth: $24 X_0$
- Alternating horizontal and vertical oriented 8 mm wide scintillator fingers
- Energy resolution: $17\%/\sqrt{E}$
- Accuracy of energy calibration 0.5%
- Uniformity: 0.5
- Position resolution: $< 1 \text{ mm}$
- Alignment: 0.5 mm
- Time resolution: $< 1 \text{ ns}$

- Homogeneous calorimeter: OPAL Pb-glass calorimeter at e^+e^- collider LEP

- Layout



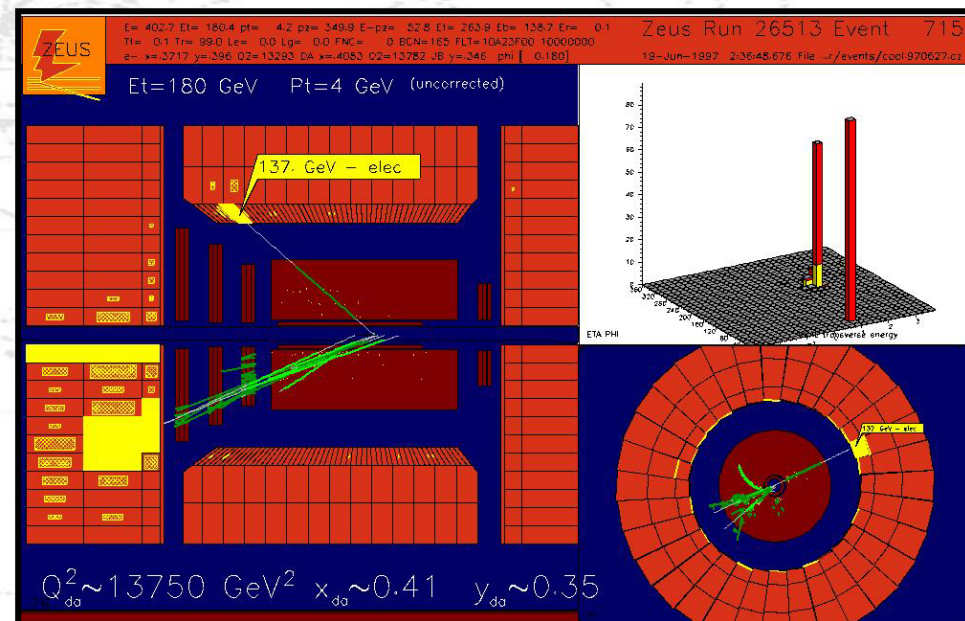
OPAL collaboration, C. Beard et al. NIM A 305 (1991) 275.

- 10572 Pb-glass blocks ($24.6X_0$)
- Energy resolution: $\frac{\sigma_E}{E} = \frac{6\%}{\sqrt{E}} \oplus 0.002$
- Spatial resolution: 11mm at 6GeV

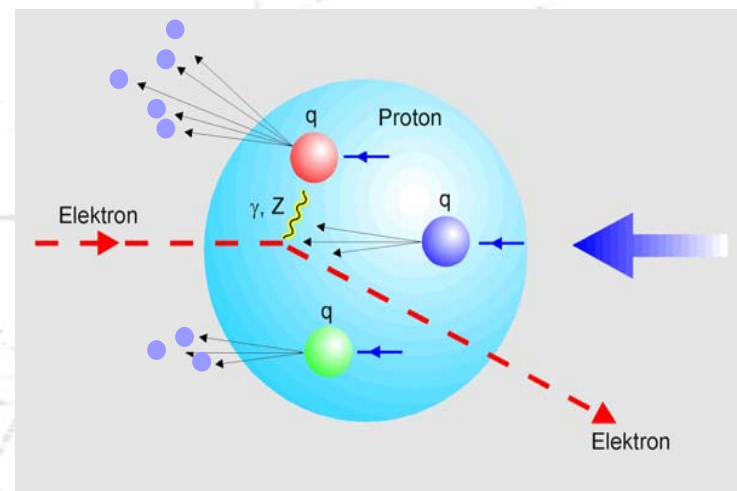
■ ZEUS Uranium Calorimeter at ep collider HERA

- 3 Sections: Uranium Calorimeter

- Forward (FCAL) (7λ): $2.2^\circ - 39.9^\circ$
- Barrel (RCAL): $36.7^\circ - 129.1^\circ$
- Rear (RCAL) (4λ): $128.1^\circ - 176.5^\circ$



- F/RCAL modules 20cm width
- Original beam pipe hole: $20 \times 20 \text{ cm}^2$
- Compensating: $e/h = 1.00 \pm 0.02$ (3.3mm U/2.6mm SCI)



■ ZEUS Uranium Calorimeter at ep collider HERA

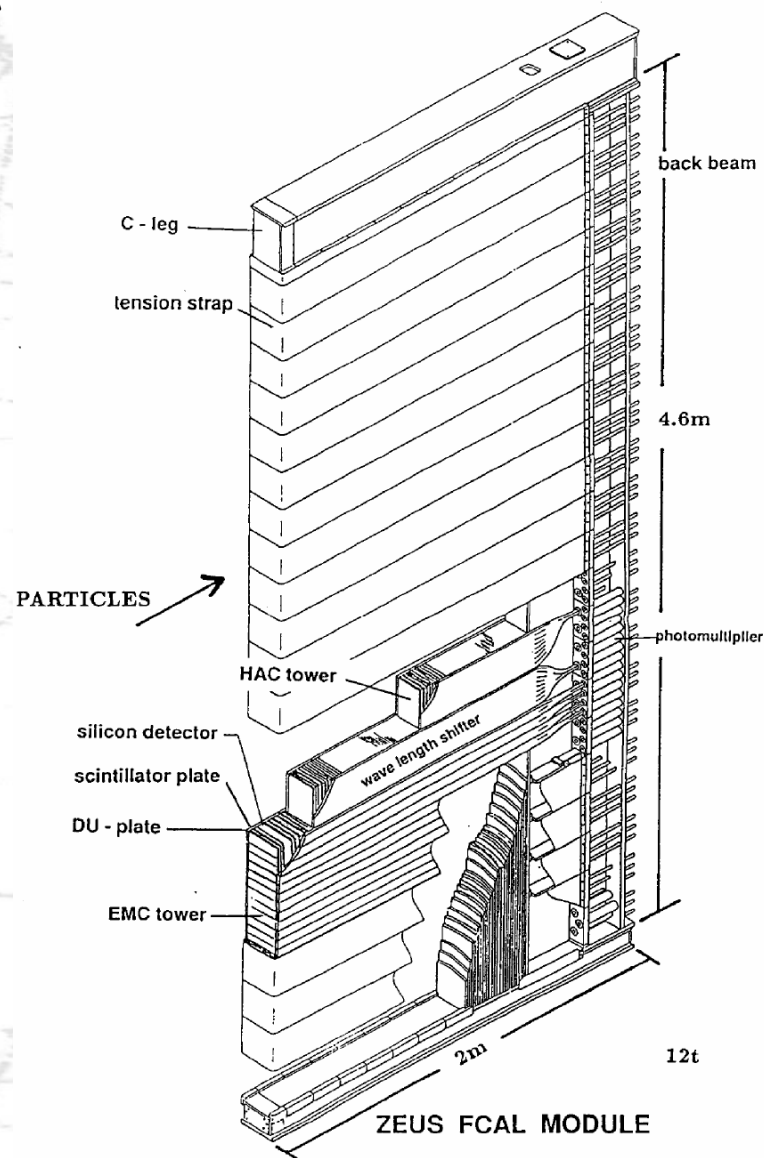
- Linear response to electrons and hadrons
- Energy resolution

➤ Electrons: $\frac{\sigma_E}{E} = \frac{18\%}{\sqrt{E}}$

➤ Hadrons: $\frac{\sigma_E}{E} = \frac{35\%}{\sqrt{E}}$

- Timing resolution:

$$\sigma_t = \frac{1.5}{\sqrt{E}} \text{ ns}$$





■ Review

- ❑ **Calorimeter**: Prime device to measure energy (E) of high-energy particles through total absorption
- ❑ **Conceptual idea** of calorimeter principle: **Shower formation** of decreasingly lower-energy particles
- ❑ Electromagnetic calorimetry:
 - Underlying shower processes (QED) well understood: Completely governed by pair production and bremsstrahlung above 1GeV
 - Transverse and longitudinal shower dimension: Characterized by **radiation length**
 - Homogeneous and sampling calorimeter types
- ❑ Hadronic calorimetry:
 - Complexity of hadronic and nuclear processes produce multitude of effects that determine the functioning and performance of hadron calorimeters: Electromagnetic and hadronic component
 - Transverse and longitudinal shower dimension: Characterized by **nuclear interaction length**
 - Sampling calorimeter types
 - Crucial step: **Compensation for invisible energy** in nuclear reactions: **Achieve $e/h = 1$** by tuning the ratio of the passive/active sampling layer thickness \Rightarrow **Improvement in energy resolution**: ZEUS U/SCI calorimeter: $35\%/\sqrt{E}$
 - New ideas are being developed to improve on the hadronic energy resolution as part of the ILC R&D



■ Literature

□ Textbooks

- R. Fernow, □ Experimental particle physics, Cambridge University Press, Cambridge
- W.R. Leo, Techniques for Nuclear and Particle Physics Experiments, Springer, New York
- R. Wigmans, Techniques in calorimetry, Cambridge University Press, Cambridge
- T. Ferbel, Experimental Techniques in High-Energy physics, Addison-Wesley, Menlo Park.

□ Papers

- C. Fabjan and T. Ludlam, Ann. Rev. Nucl. Part. 32 (1982) 32.
- C. Fabjan, in Experimental Techniques in High-Energy physics, edited by T. Ferbel (Addison-Wesley, Menlo Park).
- C. Fabjan and F. Gianotti, Rev. Mod. Phys. 75 (2003) 1243.
- R. Wigmans, Ann. Rev. Nucl. Part. Sci. 41 (1991) 133.
- B.S., □ EPJdirect C2 (1999) 1.