

# ***NEPPSR Analysis Project***

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New England Particle Physics Student Retreat  
Craigville, 13-18 August 2006

# Analysis Project

- Goals of the Project

- Learn basic use of ROOT data analysis tool
  - Standard tool in particle physics
- Apply statistical analysis to extract physical information (particle lifetime, mass, etc...)
- Discriminate between signal and background events with a multivariate analysis technique

## *Two Analysis Projects*

1. B lifetime measurement with likelihood method
2. Discrimination between signal and background with a neural network

Project I: application of maximum likelihood to measure B lifetime, see

[http://people.umass.edu/willocq/neppsr/blifetime/AnalysisProject\\_blifetime.html](http://people.umass.edu/willocq/neppsr/blifetime/AnalysisProject_blifetime.html)

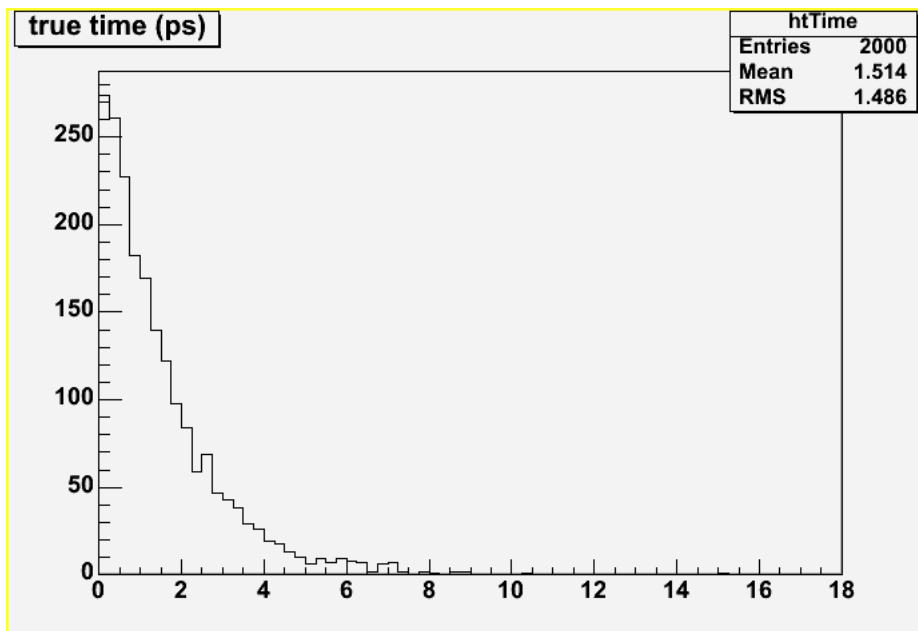
# Project I: B Lifetime Analysis

- Sample

- Simulation of the *exponential* proper time distribution of B mesons

- Effect of limited resolution in the measured proper time  
simulated by smearing the true proper time with a constant  
Gaussian resolution

- ROOT tuple contains: True time and measured time (in units of ps)  
for 2000 events



Lifetime used in the  
generation of the events  
was 1.532 ps

# Project I: B Lifetime Analysis

- Project

- *Determine the B meson lifetime and its statistical uncertainty* using each of the following methods:

1) Least-squares fit to the true proper time histogram

→ Need to provide function to fit the distribution with

$$f(t) = N \exp(-t / \tau)$$

→ Use ROOT built-in interface to do the chi-squared minimization

$$\chi^2 = \sum_{i=1}^{nbins} \left( \frac{(f(t_i) - N_i)^2}{\sigma_i^2} \right)$$

2) 'Unbinned' Maximum Likelihood with true proper time

→ Compute and display  $-\log(\text{likelihood})$  as a function of lifetime

3) 'Unbinned' Maximum Likelihood with reconstructed proper time

→ Need to determine time resolution

→ Compute and display  $-\log(\text{likelihood})$  as a function of lifetime

(use ROOT's TMath::Erfc(x))

Code provided  
on web site

See Colin Gay's lecture

# ***NEPPSR Analysis Project Results***

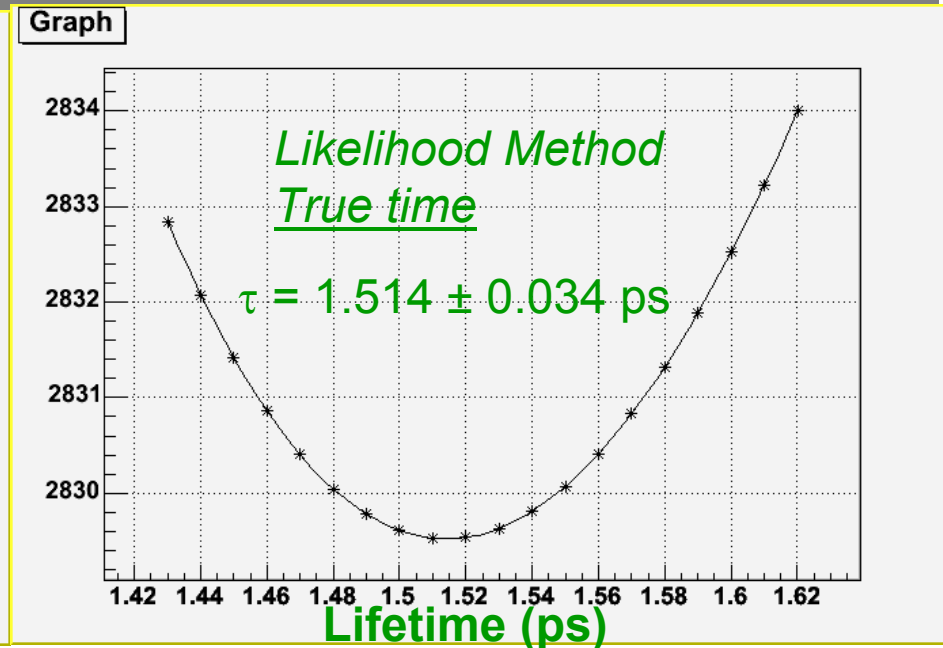
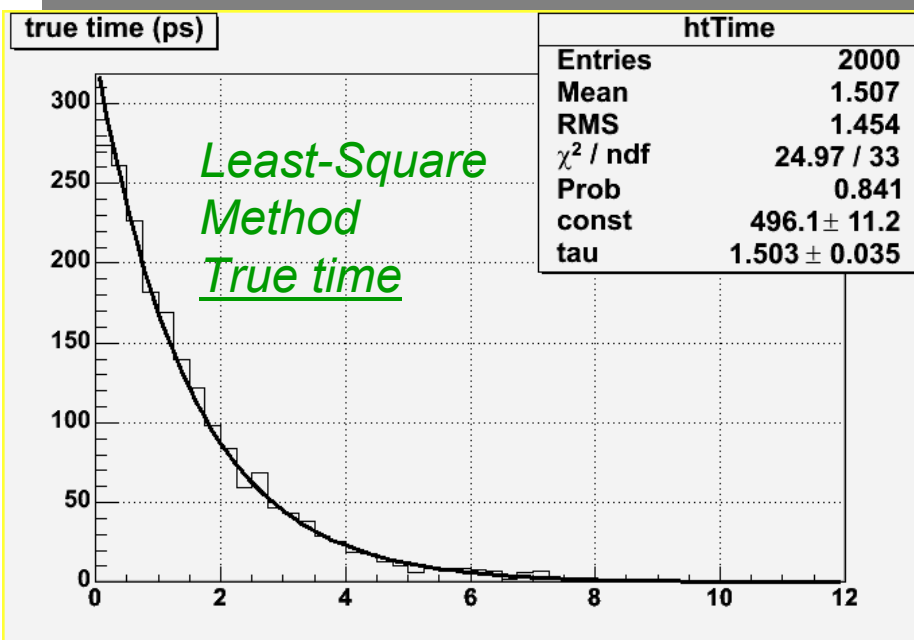
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# Project I: B Lifetime Measurement



Two possible approaches for the likelihood method (for this specific case):

1) Analytical method:



$$\tau^* = \frac{1}{N} \sum_{i=1}^N t_i \quad (= E(t) = \bar{t} = \text{mean})$$

$$\sigma = \frac{1}{\sqrt{\left. \frac{\partial^2 (-\log L)}{\partial \tau^2} \right|_{\tau=\tau^*}}} = \frac{\tau^*}{\sqrt{N}}$$

2) Numerical method:

Plot  $-\log(\text{likelihood})$  vs. lifetime & find minimum + 1-sigma range

# Project I: B Lifetime Measurement

- Fit with measured proper time:

$$-\log L(\tau) = -\sum_{i=1}^N \log P(t_i | \tau)$$

$$P(t_i | \tau) = \frac{1}{\tau} e^{-t_i/\tau} e^{-\frac{\sigma^2}{2\tau^2}} \frac{1}{2} \operatorname{erfc}\left(-\frac{1}{\sqrt{2}}\left(\frac{t_i}{\sigma} - \frac{\sigma}{\tau}\right)\right)$$

→ STEP #1: determine resolution

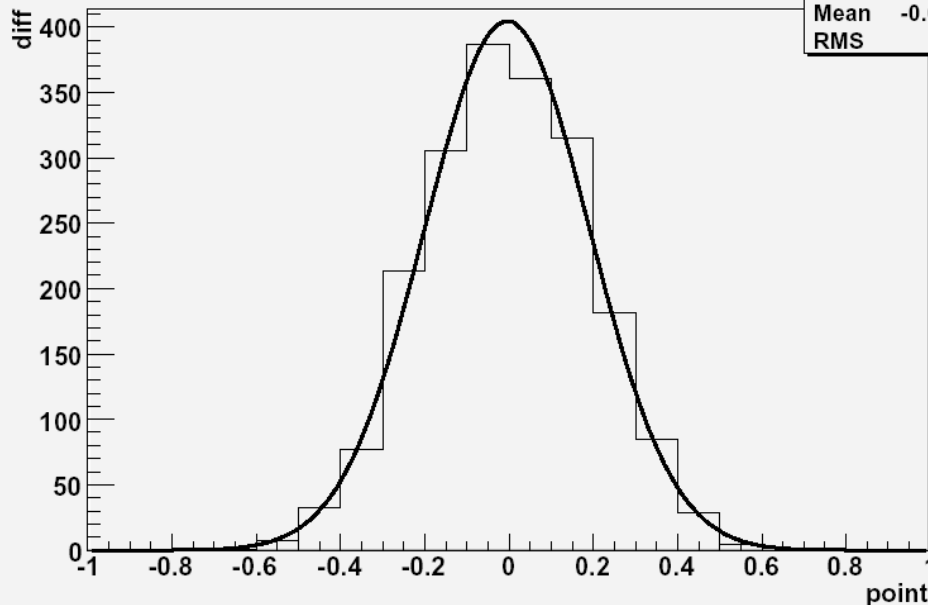
→ STEP #2: compute  $-\log(\text{likelihood})$  for a range of lifetimes

# Project I: B Lifetime Measurement

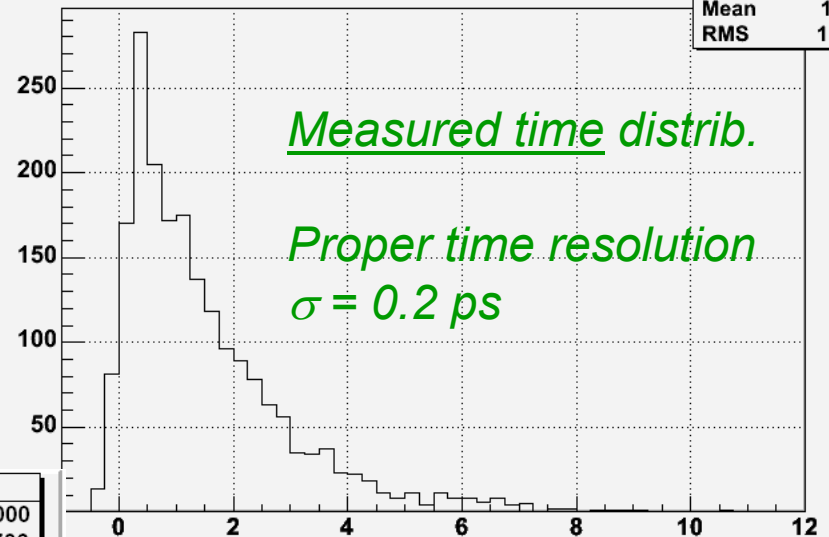
- STEP #1: determine resolution

Resolution

Julie Millane



reco time (ps)



distribution of

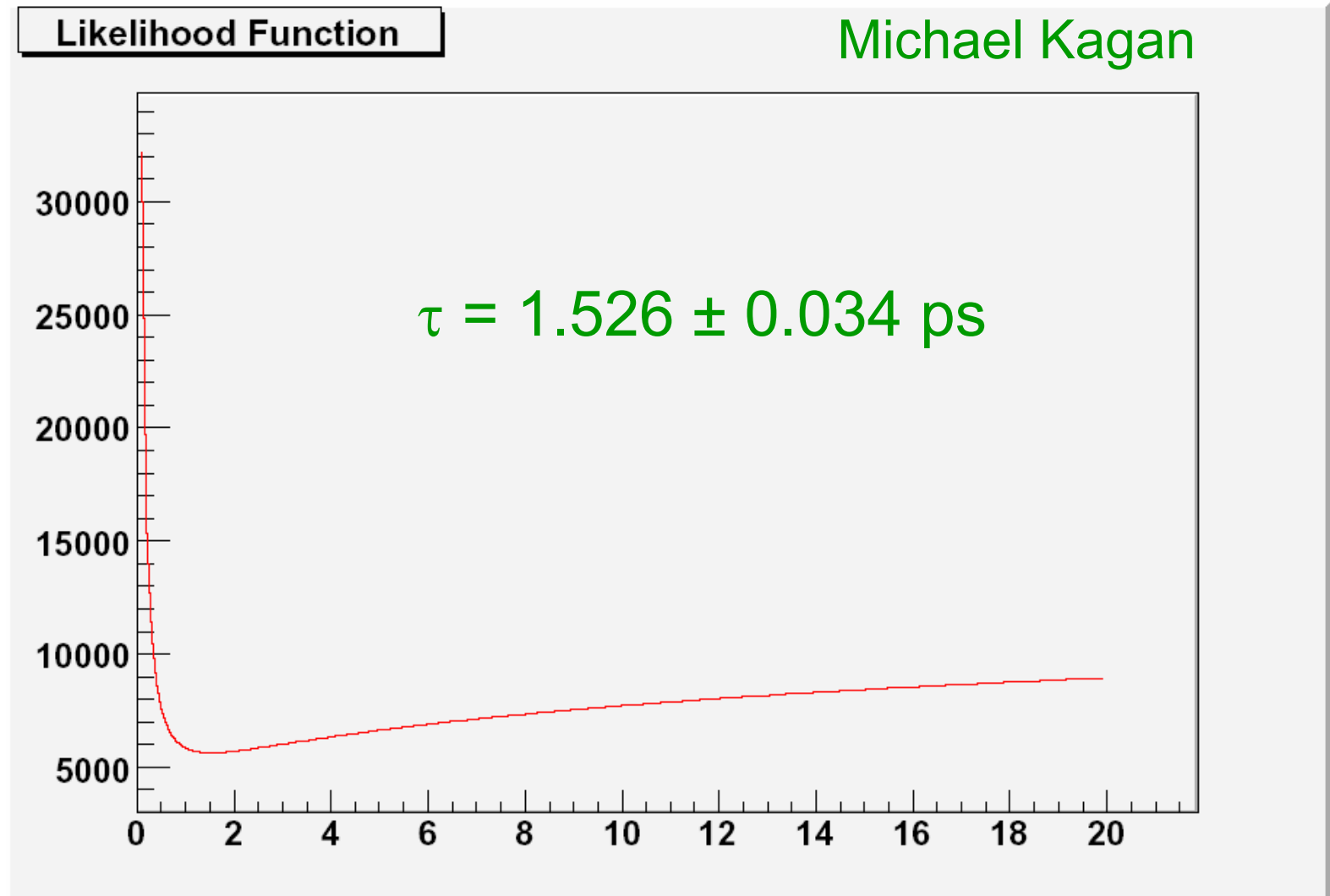
true proper time  
- measured proper time

Resolution is  
Gaussian width = 0.2 ps



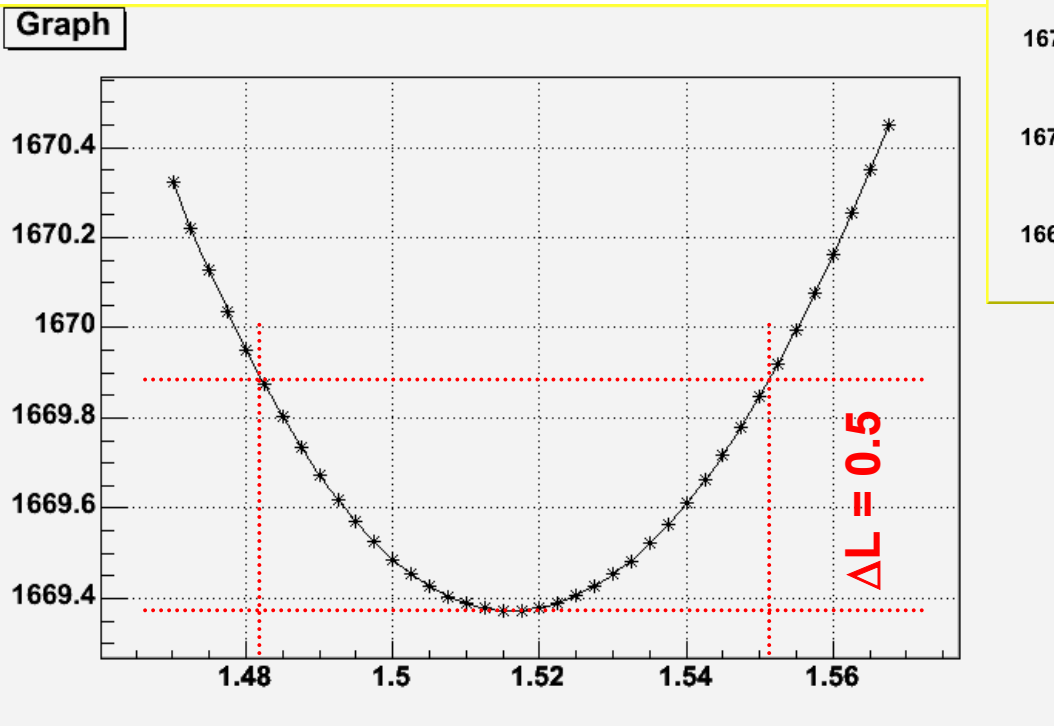
# Project I: B Lifetime Measurement

- Fit with measured proper time

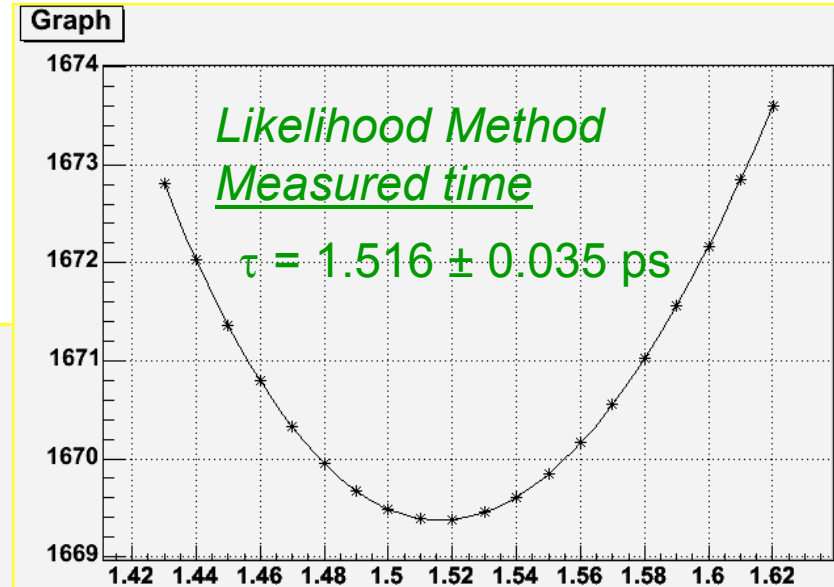


# Project I: B Lifetime Measurement

- Fit with measured proper time



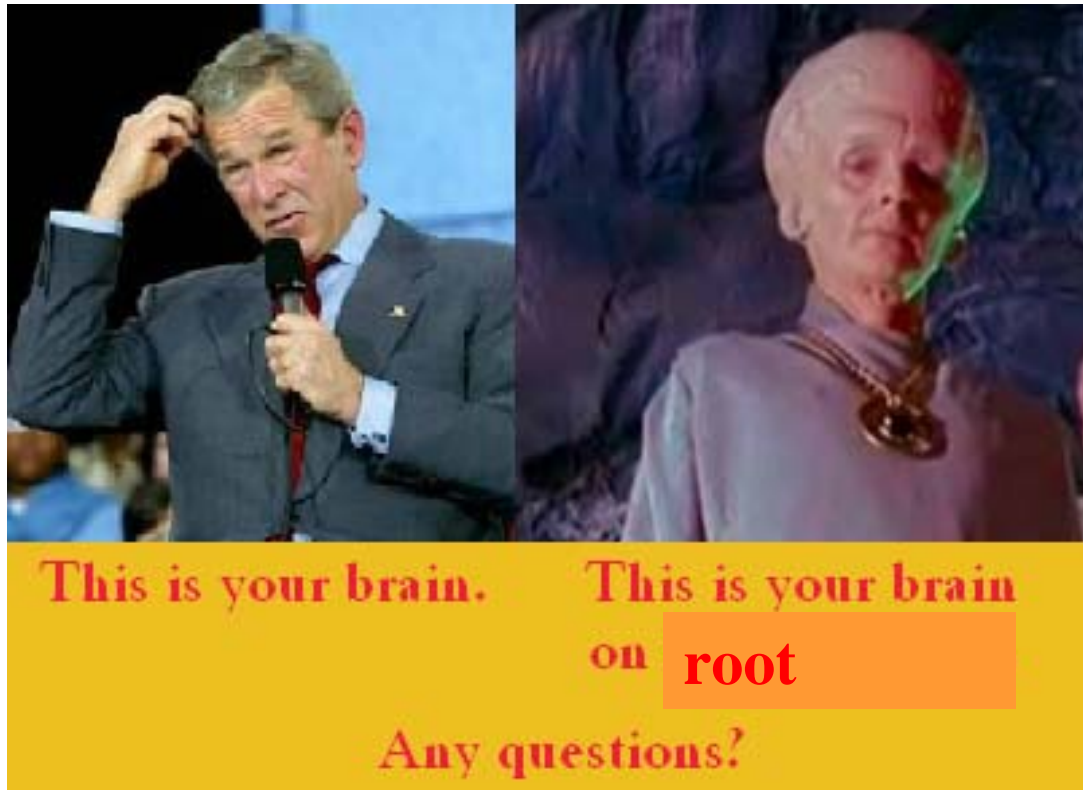
Lifetime (ps)



Lifetime (ps)



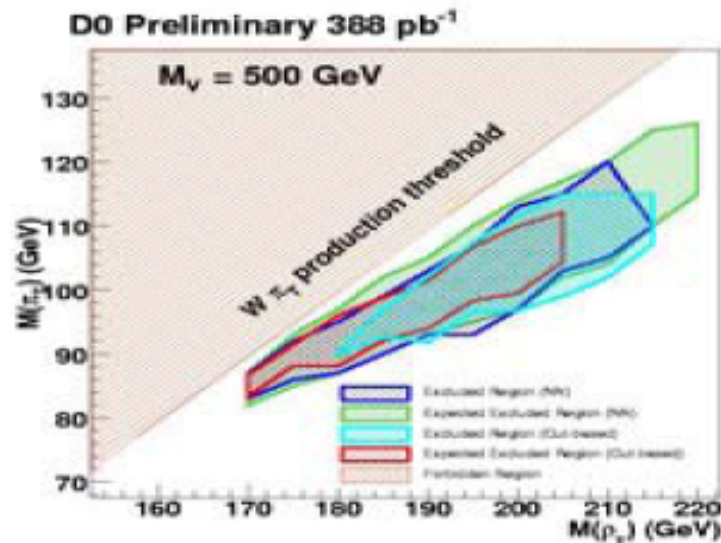
# Neural Network Analysis Project Finale



Thursday, August 17, 2006

## Fermilab Result of the Week

### Searching for a fifth force



Plot of  $\rho$  techni-mass versus  $\pi$  techni-mass. The contours show the sensitivity of the search and the region excluded by DZero.

In the standard model, the masses of particles are believed to be acquired via the Higgs mechanism. This theoretical



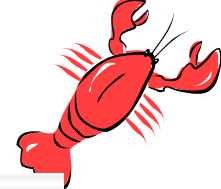
DooKee Cho (Boston University), Lorenzo Feligioni (Boston University graduate student, now at CPPM, Marseille), Meenakshi Narain (Boston University), and Suyong Choi (SungKyunKwan University, Korea) performed the experimental search. The experimental group consulted theorist Kenneth Lane (Boston University) during the analysis.



# D'Oh!

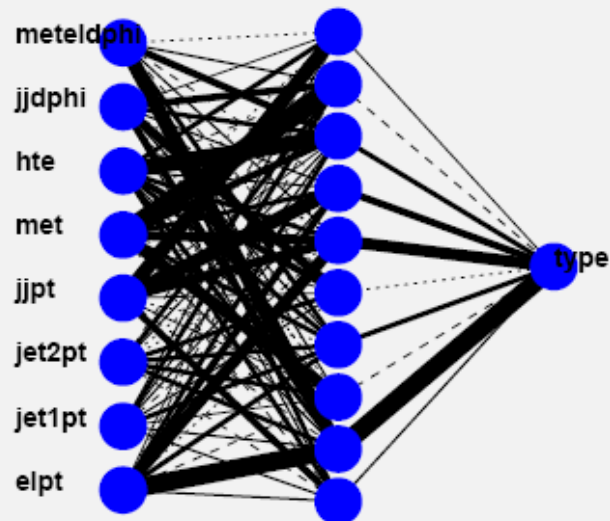
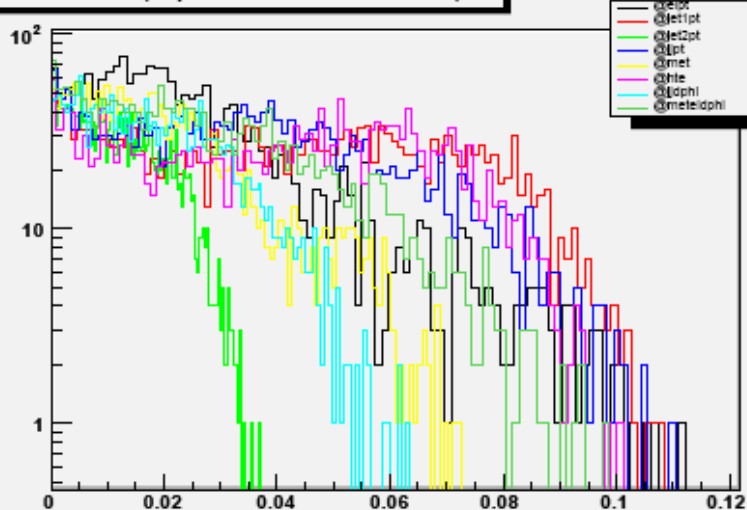


- ❖ There was a bug in `mlp_data.C` that cunningly evaded detection in my testing but was found immediately by many of you
  - Training was OK but evaluation could have problems
  - Good experience for using ATLAS and CMS software
- ❖ The fix was provided by root wizard Jen Raaf – thanks!
- ❖ If you'd like to try this again, the v 2.0 code is available from the same web site

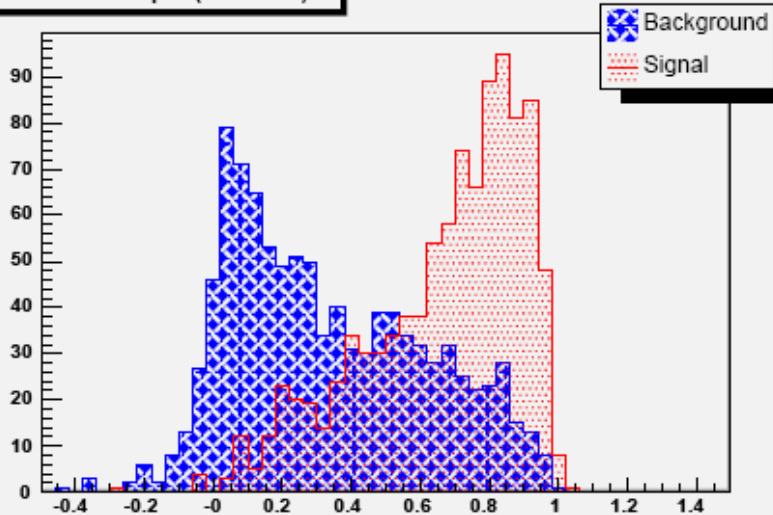


@elpt, @jet1pt, @jet2pt, @jjpt, @met, @hte, @jjdphi, @meteldphi:10:type

differences (impact of variables on ANN)



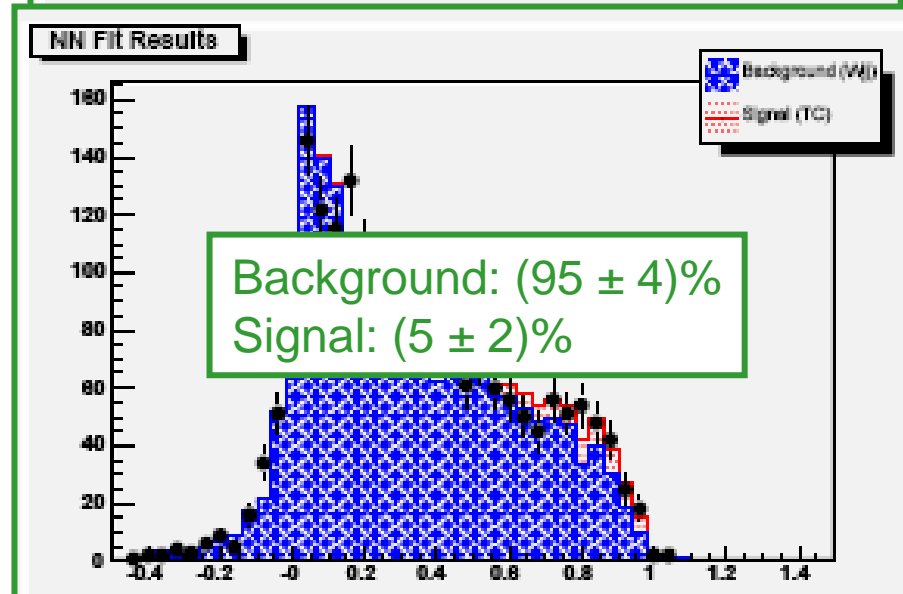
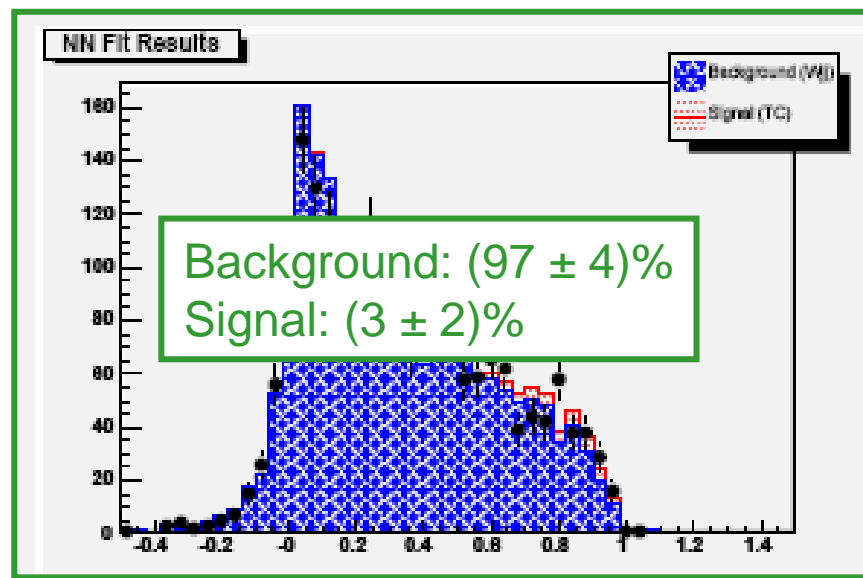
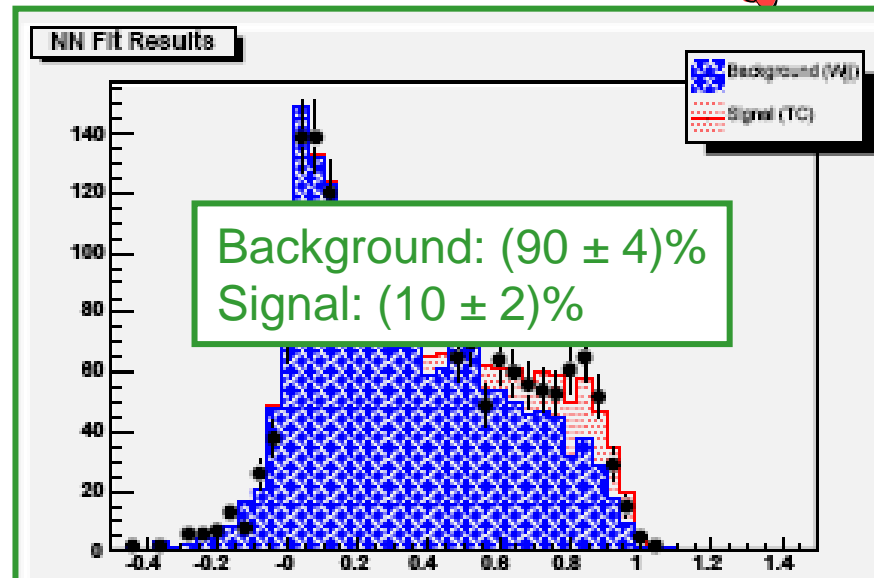
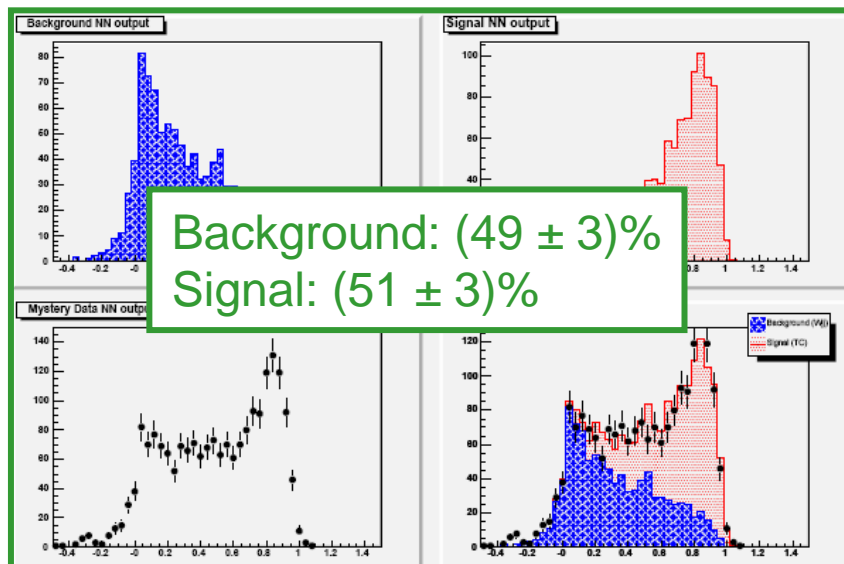
Neural net output (neuron 0)







# jb plots

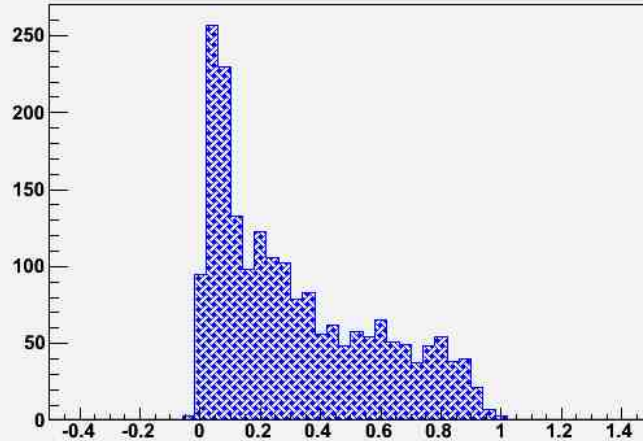




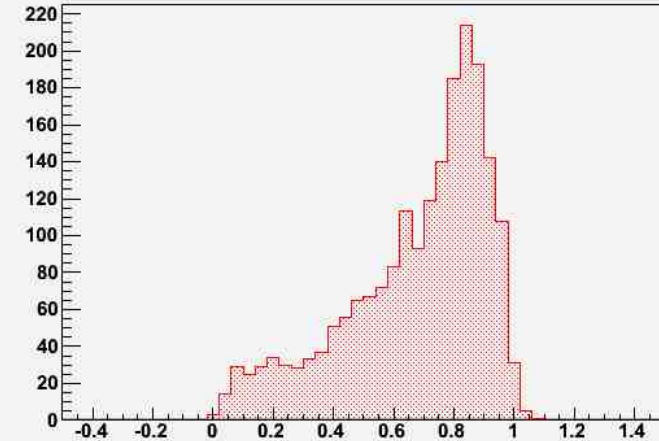
# Samvel Khalatian



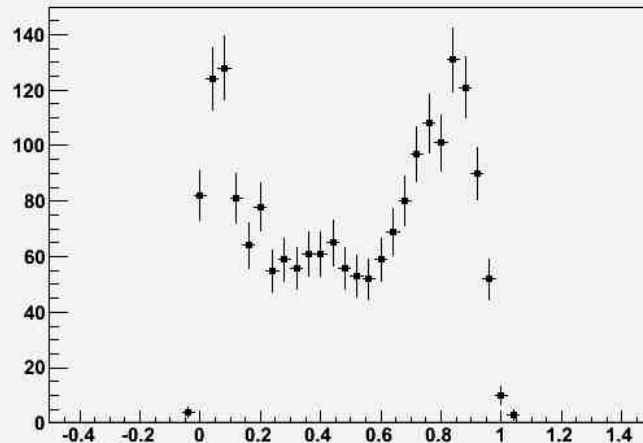
Background NN output



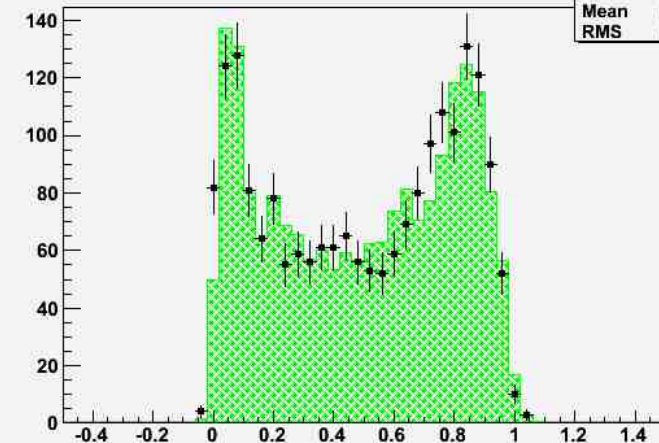
Signal NN output



Mystery Data NN output



Result

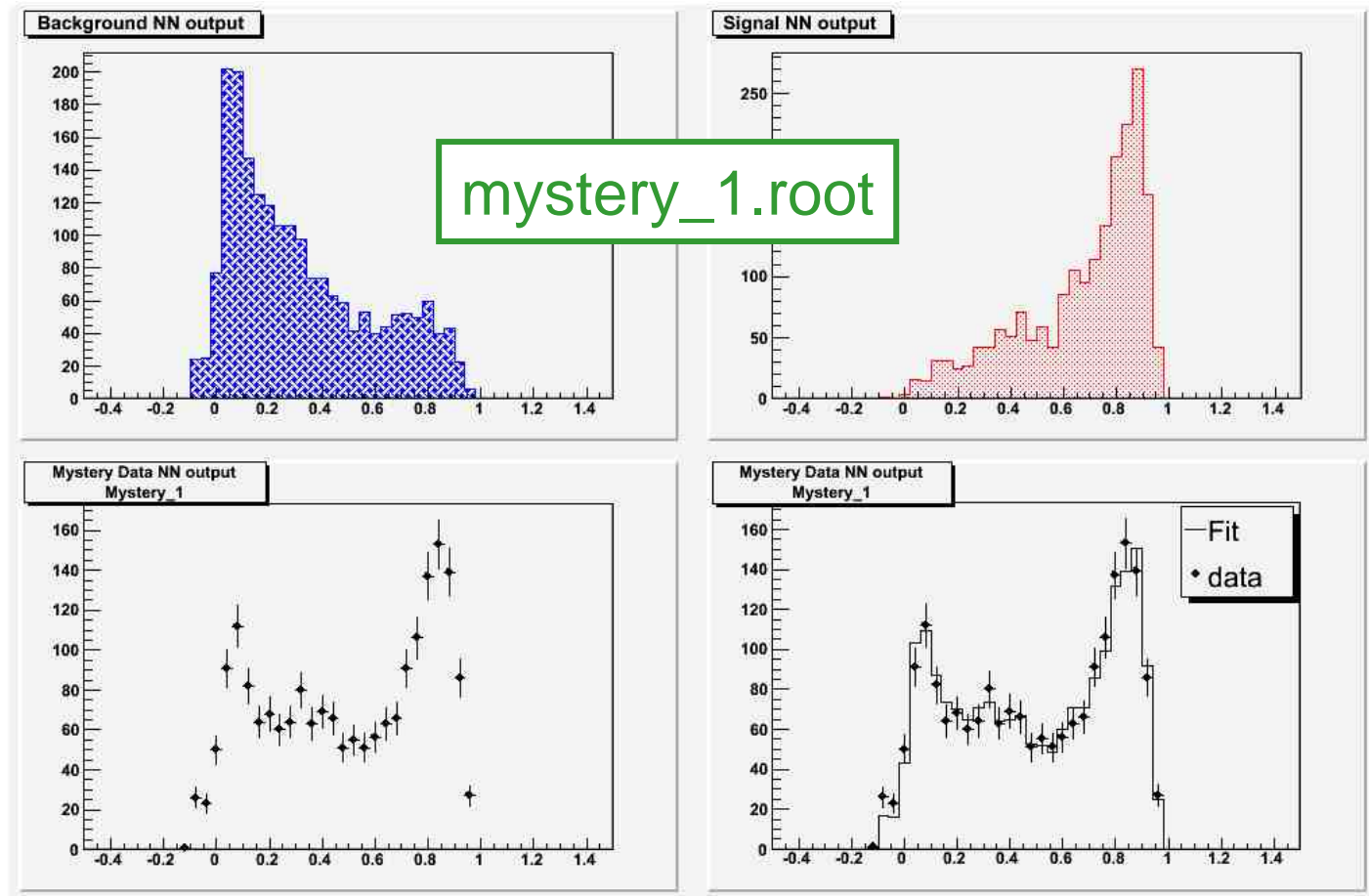


fitted result	
Entries	49
Mean	0.4944
RMS	0.3087





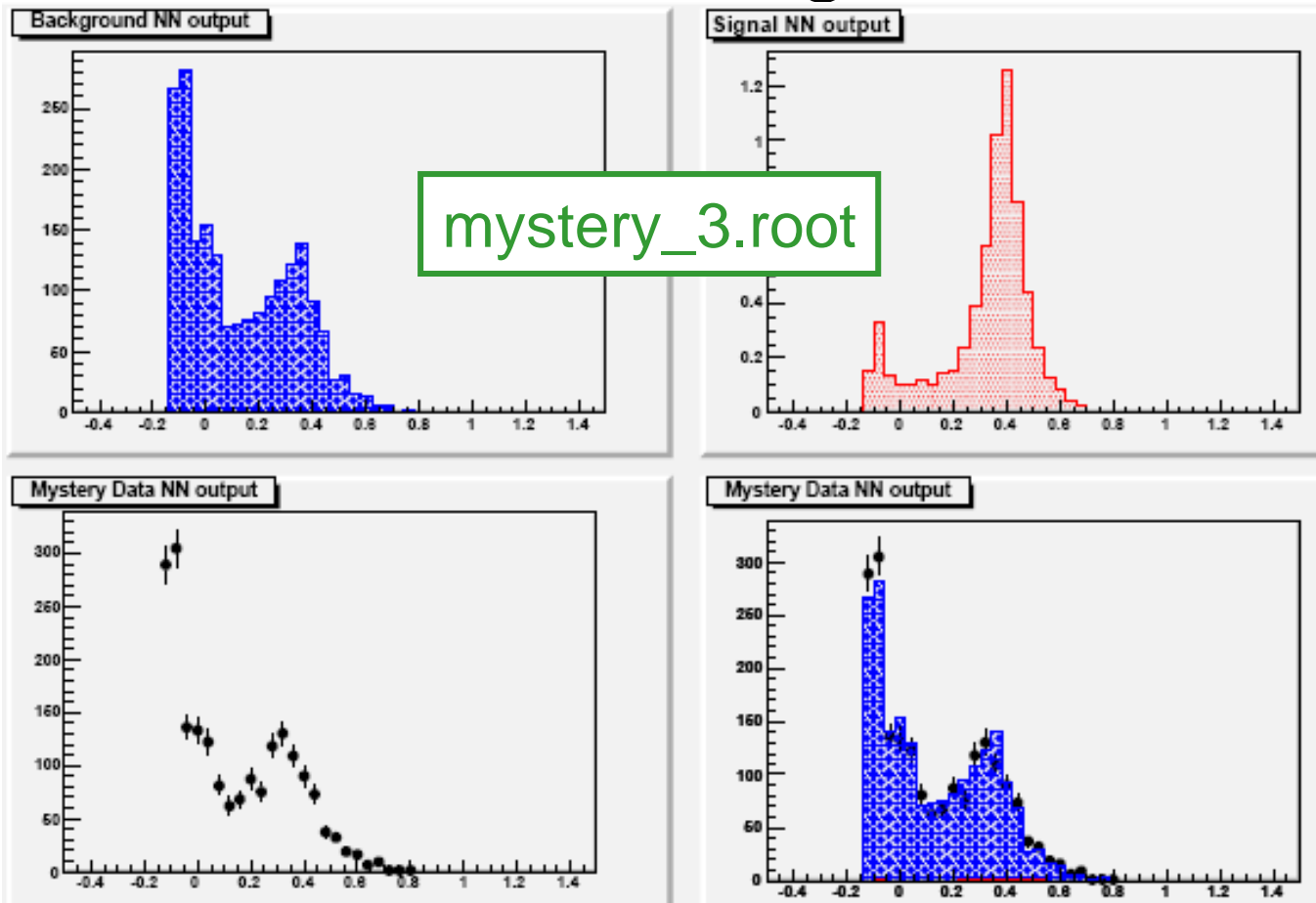
# Steven Cavanaugh



	Bkgd(%) +/-		Signal (%)	+/-
Mystery 1	49.3	1.6	50.3	1.6
Mystery 2	89.7	2.1	10.2	1.4
Mystery 3	97.8	2.1	2.3	1.3
Mystery 4	96.4	2.1	3.6	1.3



# Michael Kagan



## Signal Fraction

mystery\_1: 49.7 +/- 3.2 %

mystery\_2: 9.4 +/- 2.8 %

mystery\_3: 0.3 +/- 2.3 %

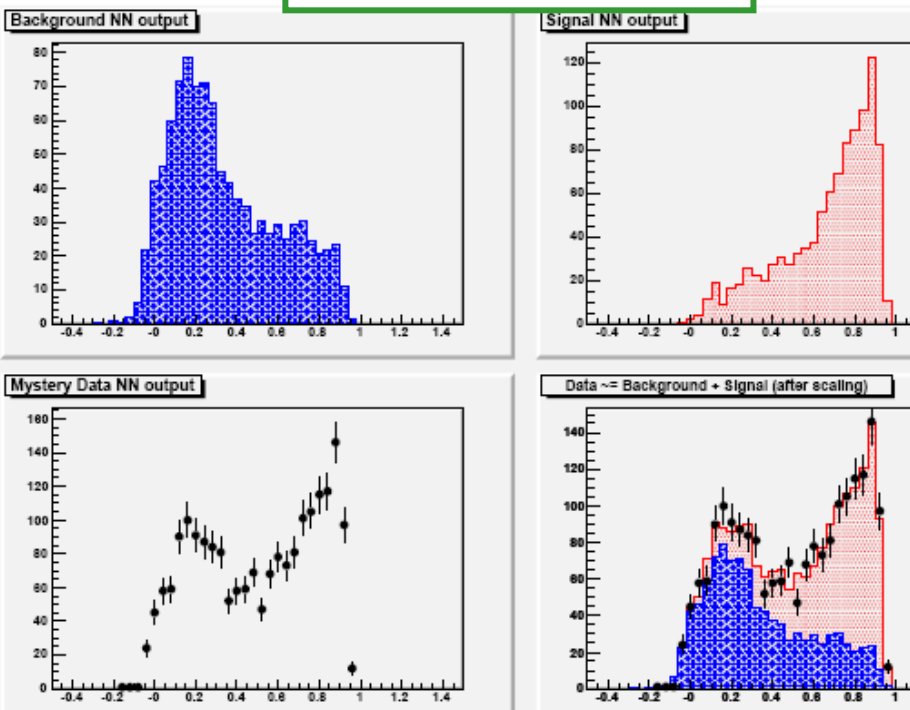
mystery\_4: 1.5 +/- 2.8 %



# Aram Avetisyan



mystery\_1.root



mystery\_1

Signal Fraction:  $0.507952 \pm 0.0284142$

Background Fraction:  $0.492047 \pm 0.0281343$

mystery\_2

Signal Fraction:  $0.0969365 \pm 0.0234247$

Background Fraction:  $0.903068 \pm 0.0367383$

mystery\_3

Signal Fraction:  $0.0205682 \pm 0.022819$

Background Fraction:  $0.979452 \pm 0.0383891$

mystery\_4

Signal Fraction:  $0.0345576 \pm 0.0229088$

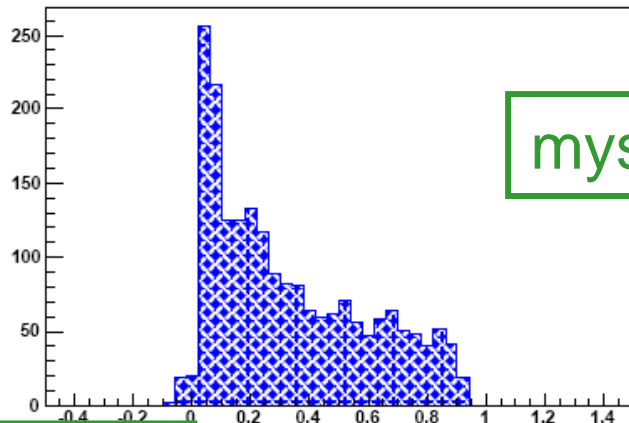
Background Fraction:  $0.965441 \pm 0.0380773$



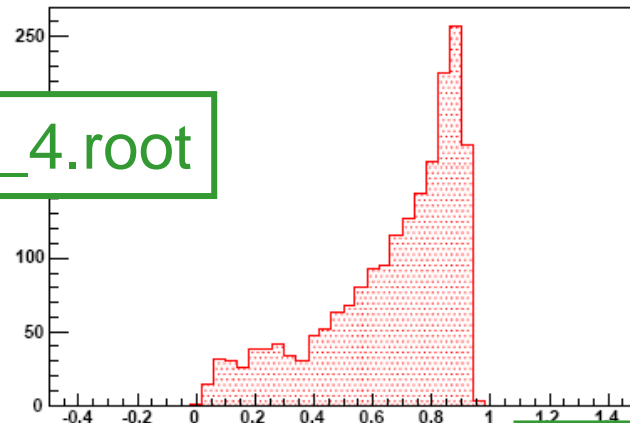
# Michael Litos



Background NN output



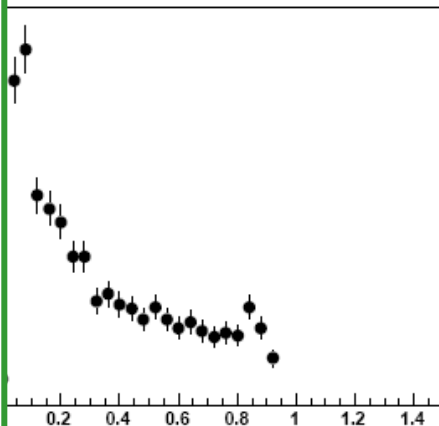
Signal NN output



mystery\_4.root

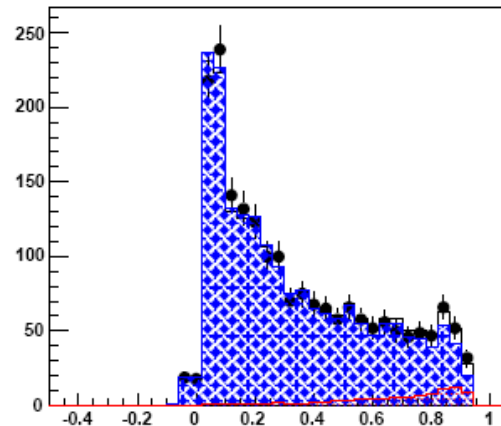
Mystery\_1  
Signal: .49966  
SigErr: .0278621  
Backgd: .500355  
BkgErr: .0278744  
ChiSqr: 16.6743

output



Mystery\_2  
Signal: .100864  
SigErr: .0359343  
Backgd: .899129  
BkgErr: .0359343  
ChiSqr: 29.2299

Mystery Data NN output



Mystery\_3  
Signal: .0231674  
SigErr: .0223896  
Backgd: .976845  
BkgErr: .0380685  
ChiSqr: 30.2056

Mystery\_4  
Signal: .0459162  
SigErr: .0216809  
Backgd: .954077  
BkgErr: .0370547  
ChiSqr: 17.0798



# Find new physics when it is there





# Don't find new physics when it is there



Where  $x = J/\psi, \dots$



Eventually find new physics when it is there



- 
- 
- 
- 



Carlo's  
Physics  
Camp



And the (not so ) intelligent designer said...



❖ Is it time to call the New York Times yet?

❖ mystery\_1

➤ Background = 50%, Signal = 50% → Stockholm here I come!

❖ mystery\_2

➤ Background = 90%, Signal = 10% → Stockholm here I come!

❖ mystery\_3

➤ Background = 100%, Signal = 0% → Carlo's Camp!

❖ mystery\_4

➤ Background = 99%, Signal = 1% → I missed the  $J/\Psi$ !